



Nuclear Collective Excitations Using Correlated Realistic Interactions

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1. Nuclear response and mean-field theory

- The collective states of medium-mass and heavy nuclei can be tackled only within **simple many-body spaces**: Hartree-Fock (-Bogolyubov), (Quasi-particle) RPA, ...
- An appropriate **"effective interaction"** has to be used – mostly phenomenological: Skyrme energy functionals, covariant energy functionals.
- To enhance **predictive power** one needs to start from **realistic interactions** instead.

2. What is a correlated realistic interaction?

- From a realistic nucleon-nucleon interaction, e.g., Argonne V18, Bonn, etc, a phase-shift equivalent correlated interaction V_{UCOM} can be obtained within the **Unitary Correlation Operator Method (UCOM)**.
- Because the **short-range correlations** are treated by the UCOM, the many-body method needs to describe only the state-dependent long-range correlations.
- Thus, V_{UCOM} can be used as a **universal effective interaction** for calculations within **simple Hilbert spaces**.

3. Short-Range Correlations - UCOM

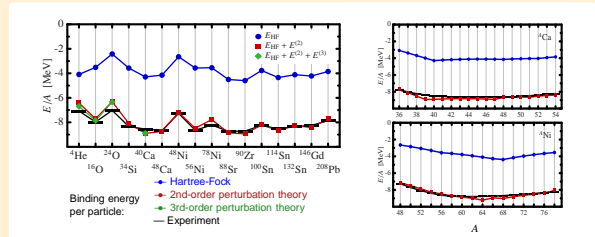
- Short-range correlations**, tensor and central, are described by a state-independent unitary correlation operator $C = C_{\Omega} C_r$.
- Correlated states $|\tilde{\Psi}\rangle = C|\Psi\rangle$ vs correlated operators $\tilde{O} = C^{\dagger} O C$:
 $\langle \tilde{\Psi} | O | \tilde{\Psi}' \rangle = \langle \Psi | C^{\dagger} O C | \Psi' \rangle = \langle \Psi | \tilde{O} | \Psi' \rangle$
- C is given in a **closed operator form**. Parameters are determined by **energy minimization in two-body space**. Range of **tensor correlator** C_{Ω} is constrained, because the tensor interaction between two nucleons in a nucleus is **screened**.

- Correlated NN interaction**:

$$\tilde{H} = C^{\dagger} (T + V) C = \tilde{T}^{[1]} + \tilde{T}^{[2]} + \tilde{V}^{[2]} + \tilde{T}^{[3]} + \tilde{V}^{[3]} + \dots \approx T + V_{UCOM}$$
- Tensor correlator range fixed using **no-core shell model** calculations for the energy of ${}^4\text{He}$, ${}^3\text{H}$ (experimental point on the Tjon line).
- For this value, contributions from the **missing 3-body force** and the **omitted 3-body terms** of the cluster expansion effectively cancel each other.

4. Long-Range Correlations

- Long-range correlations** have to be described by the many-body state: Hartree-Fock will not be enough.
- They are, however, **perturbative**:

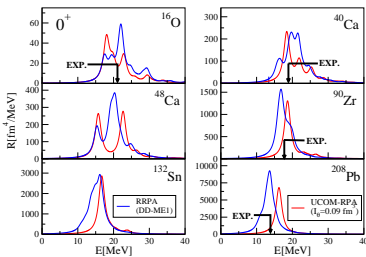


- The cancellation among missing 3-body terms holds for **all masses** and **isospins** - but not for all observables e.g. radii.
- A simple zero-range **3-body force** is under construction, to account for the missing effects.

5. Results within standard, extended and second RPA + correlated Argonne V18

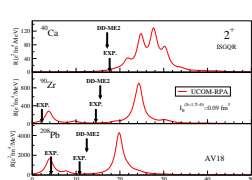
Self-consistent HF+RPA

- Vibration creation operators** are written as linear combinations of ph configurations
- Standard, self-consistent HF+RPA** - RPA vacuum approximated by Hartree-Fock ground state



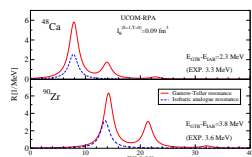
Good description of Giant Monopole Resonance

Realistic value of nuclear-matter incompressibility



Energy of Giant Dipole and Quadrupole Resonances overestimated

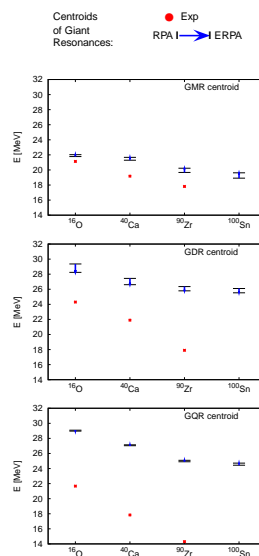
Value of nucleon effective mass too small



- Gamow-Teller States
- Isobaric Analog States
- ... to be continued

"Extended" RPA

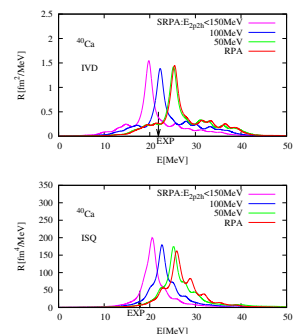
- Renormalized ph excitations are built on the **true RPA vacuum**
- Effect of **explicit ground-state correlations**



Small effect on centroids of Giant Resonances

Second RPA

- Include coupling to $2p2h$ states
- Effect of **extended model space**
- Preliminary results
 - no coupling amongst $2p2h$ states introduced so far
 - truncation of $2p2h$ space at higher energies is needed



Additional configurations are important

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