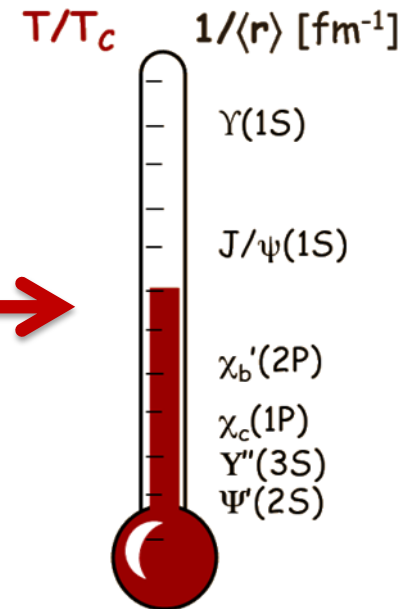
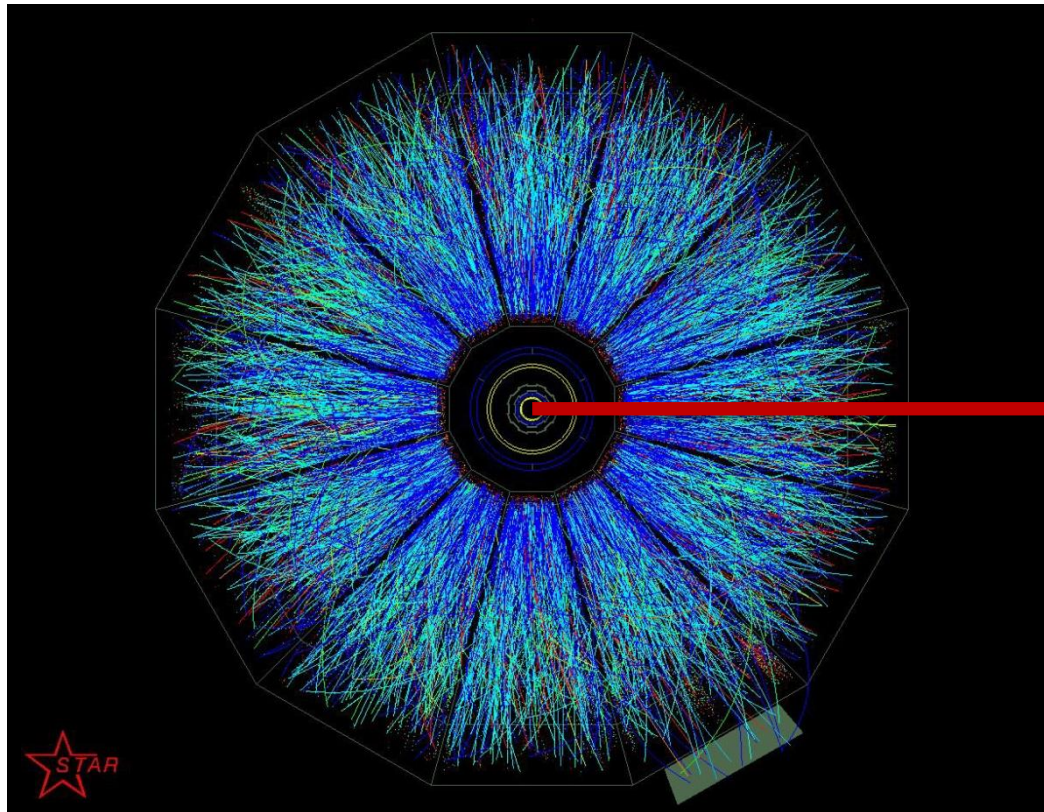


Charmonium in the QGP



TECHNISCHE
UNIVERSITÄT
DARMSTADT

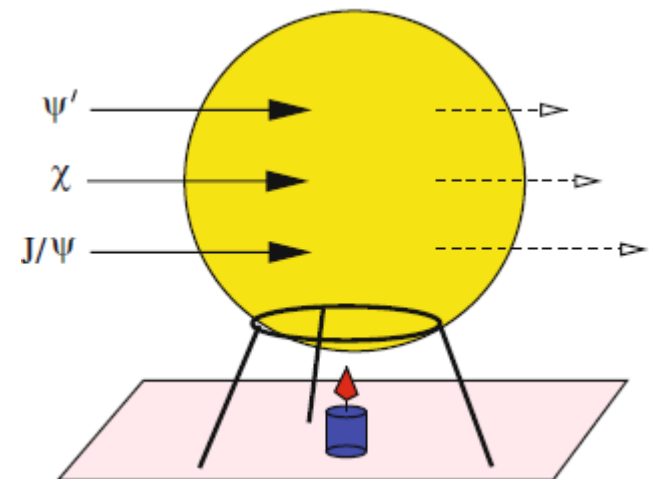
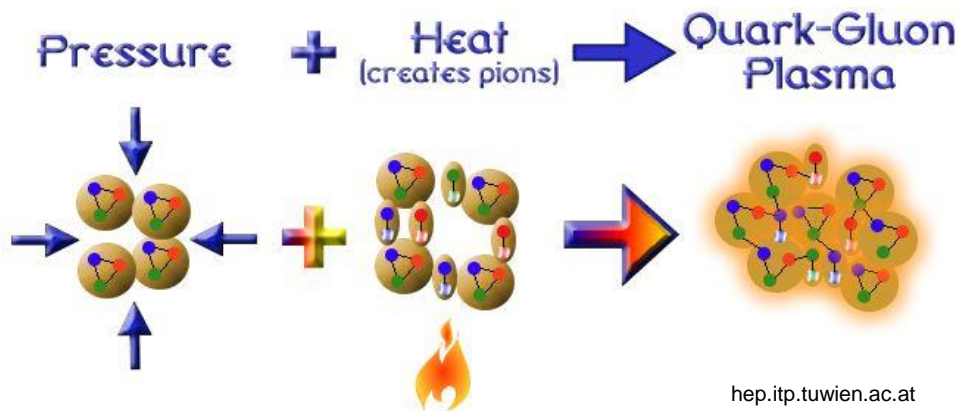
...as a probe of the quark-gluon plasma



- I. **Motivation and the main idea of probing the QGP with charmonium**
- II. Quarkonium properties
 - *charmonium*
- III. Charmonium at different temperatures
 - *string breaking, recoupling, color screening*
- IV. Theoretical models to describe charmonium dissociation
 - *Schwinger model, potential models, lattice QCD results*
- V. Charmonium in heavy-ion collisions
 - *suppression or enhancement*
 - *experimental results*
 - *statistical hadronization model*
- VI. Summary and outlook

I.) Motivation

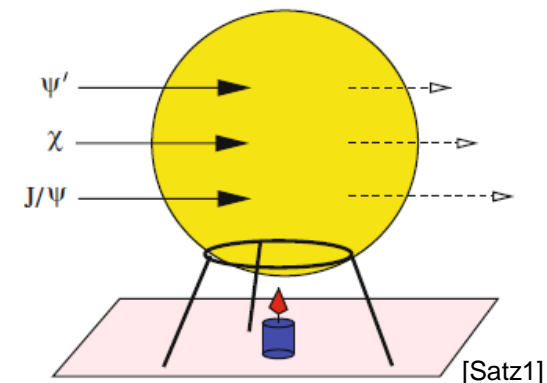
- At high temperatures or/and pressure strongly interacting matter becomes a plasma of deconfined quarks and gluons → **QGP**
- Use in-medium behavior of heavy quark bound states (i.e. **charmonium**) as a probe to study the deconfinement and the properties of the QGP



[Satz1]

The main idea of probing the QGP with charmonium

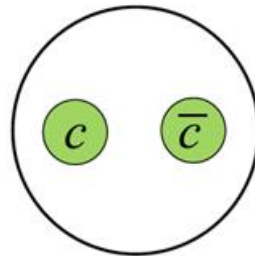
- High mass, heavy-quark pairs are expected to be created predominantly in the early stage of hadronic collisions.
- The evolution of this state of matter is expected to take place in later stages of the collision and is therefore believed to modify the measured rates of quarkonia.
- ***The main idea:*** Implant charmonia into the QGP and observe their modification, in terms of suppressed (or enhanced) production in nucleus-nucleus collisions with or without plasma formation.



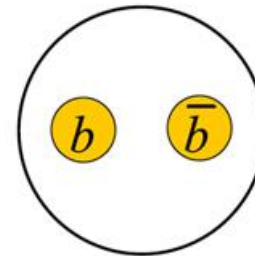
- I. Motivation and the main idea of probing the QGP with charmonium
- II. **Quarkonium properties**
 - *charmonium*
- III. Charmonium at different temperatures
 - *string breaking, recoupling, color screening*
- IV. Theoretical models to describe charmonium dissociation
 - *Schwinger model, potential models, lattice QCD results*
- V. Charmonium in heavy-ion collisions
 - *suppression or enhancement*
 - *experimental results*
 - *statistical hadronization model*
- VI. Summary and outlook

II.) Short remainder on quarkonium

- Quarkonium ($Q\bar{Q}$) are flavourless mesons build of a heavy quark and its own antiquark
→ i.e. the **charmonium** ($c\bar{c}$) or bottonium ($b\bar{b}$)
(toponium does not exists → very short lifetime of the top quark)
- Build of heavy quarks: $m_c \cong 1.3 \text{ GeV}$, $m_b \cong 4.7 \text{ GeV}$
- Charmonium stable under strong decay until $M_{c\bar{c}} < 2 M_D \cong 2 * 1.9 \text{ GeV}$ with $D = c\bar{u}$ (lightest “open” charm meson)
(for bottonium $M_{b\bar{b}} < 2 M_B \cong 2 * 5.3 \text{ GeV}$)



“Charmonium” meson



“Bottomonium” meson

[<http://legacy.kek.jp/intra-e/press/2012/011014/>]

Binding of a quarkonium ($Q\bar{Q}$) system

- Because of heavy quark masses use **non-relativistic Schrödinger equation in centre-of-mass system**:

$$-\frac{1}{m}\{\nabla^2(r) + V(r)\}\psi_i(r) = (M_i - 2m)\psi_i(r)$$

- Binding energy:

$$\Delta E = 2M_{D,B} - M_i$$

- Cornell Potential (vacuum with limit $M_Q \rightarrow \infty$):

$$V(r) = \sigma r - \frac{\alpha}{r}$$

- squared average bound-state radii:

$$\langle r_i^2 \rangle = \frac{\int d^3r r r^2 |\psi_i(r)|^2}{\int d^3r |\psi_i(r)|^2}$$

effective coulomb potential (gauge term)

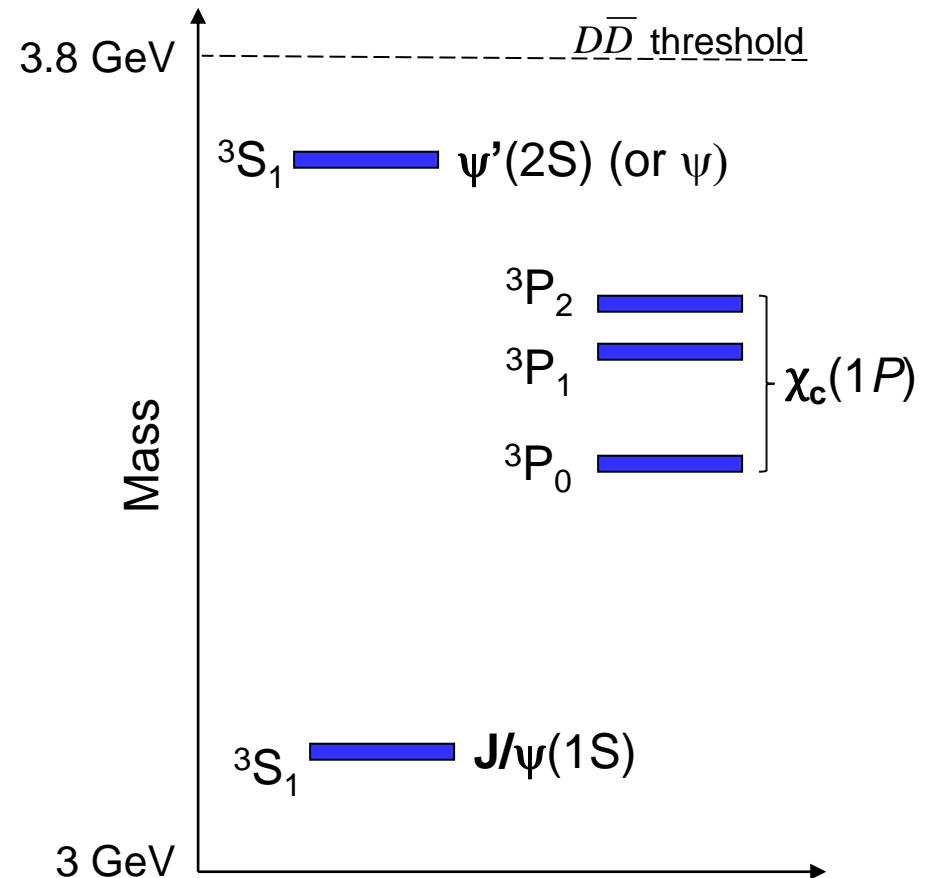
confining force (string term)

The charmonium – a heavy quark bound state

- Lowest charmonium bound states:
 J/ψ , χ_c and ψ'
- Lifetimes about 10^{-13} s
- Small radii ~ 0.3 fm (compared to typical hadron radii ~ 1 fm)

State	J/ψ	χ_c	ψ'
Mass (GeV)	3.10	3.53	3.68
ΔE (GeV)	0.64	0.20	0.05
Radius (fm)	0.25	0.36	0.45

[Satz1]

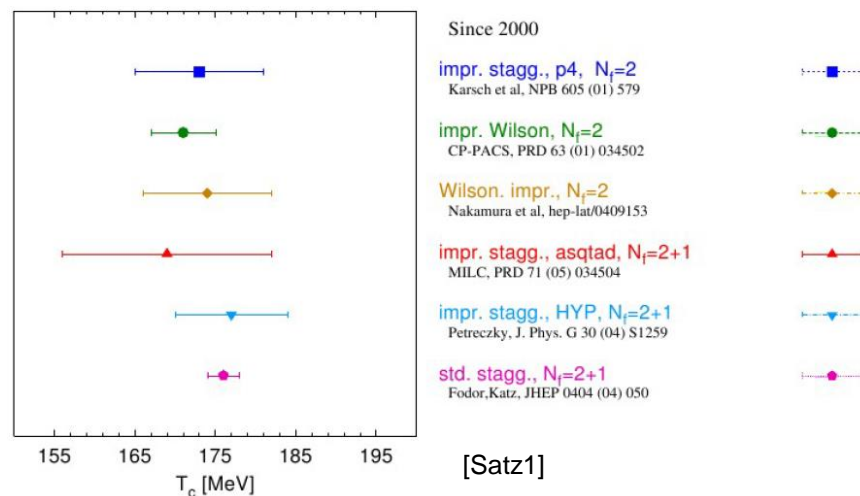


- I. Motivation and the main idea of probing the QGP with charmonium
- II. Quarkonium properties
 - *charmonium*
- III. **Charmonium at different temperatures**
 - ***string breaking, recoupling, color screening***
- IV. Theoretical models to describe charmonium dissociation
 - *Schwinger model, potential models, lattice QCD results*
- V. Charmonium in heavy-ion collisions
 - *suppression or enhancement*
 - *experimental results*
 - *statistical hadronization model*
- VI. Summary and outlook

III.) Charmonia at different temperatures

Question: How do charmonia dissociate?

- Three mechanisms have been identified, corresponding to the behaviour for $T = 0$, $0 < T < T_c$ and $T \geq T_c$
- T_c is the critical temperature of deconfinement $\sim 160 - 170$ MeV (obtained by lattice QCD studies) [F. Karsch, J. Phys. G 31 (2005) S633]
[Z. Fodor, PoS CROD07 (2007)]



$T = 0$: String breaking of a static $Q\bar{Q}$ pair

Assumptions:

- A $Q\bar{Q}$ pair in vacuum at $T = 0$, with the limit $M_Q \rightarrow \infty$
- Cornell Potential: $V(r) = \sigma r - \frac{\alpha}{r}$
- Free Energy: $F(r) \sim \sigma r$
- String tension: $\sigma \cong 0.2 \text{ GeV}^2 = 1 \text{ GeV/fm}$
- Gauge coupling: $\alpha \cong \frac{\pi}{12}$

$T = 0$: String breaking of a static $Q\bar{Q}$ pair

- String breaks if energy is above production threshold of D or B Meson:

$$F_0 = 2(M_D - m_c) \cong 1.2 \text{ GeV}$$

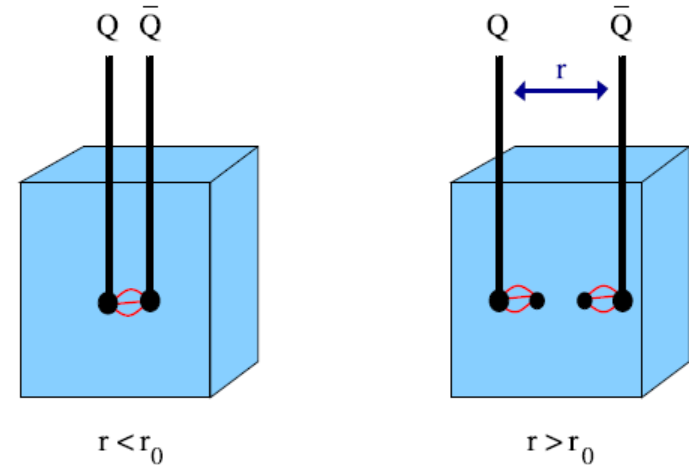
$$F_0 = 2(M_B - m_b) \cong 1.2 \text{ GeV}$$

- From this deduce the string-breaking radius for charmonium and bottomium:

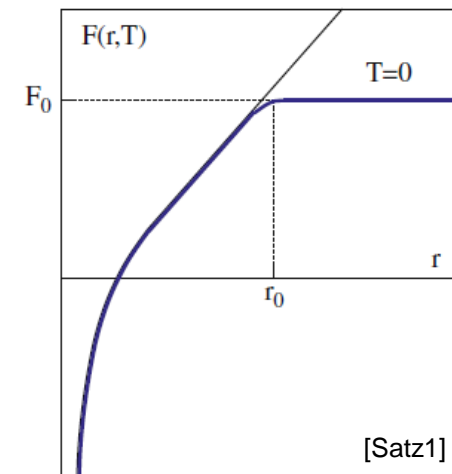
$$r_0 = \frac{1.2 \text{ GeV}}{\sigma} \cong 1.5 \text{ fm}$$

→ energy required for string breaking is a **property of the vacuum itself**, virtual $Q\bar{Q}$ pairs are brought on-shell by the field between the heavy quarks

→ **confinement**



[Satz1]

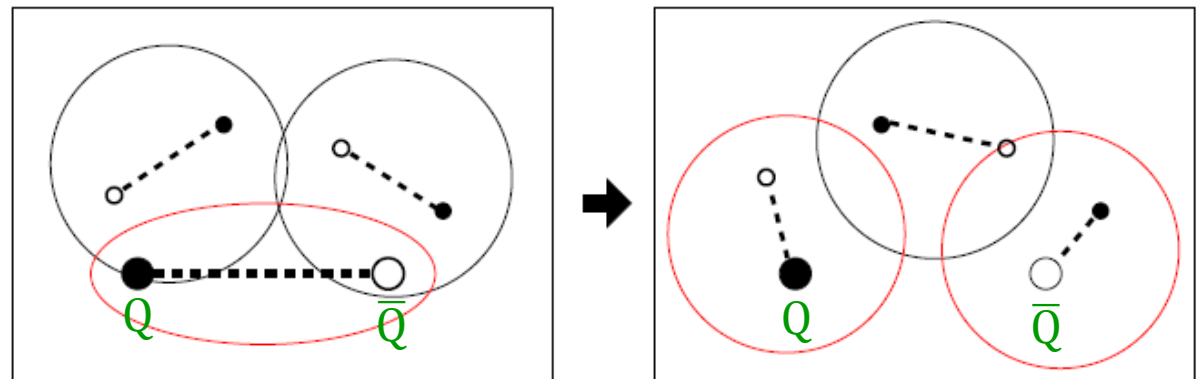


[Satz1]

$0 < T < T_c$: $Q\bar{Q}$ in-medium string breaking with the help of recoupling

- Now light mesons (i.e. pions) are included
- By a switch in bonding a $Q\bar{Q}$ meson is turned into two heavy-light mesons
- **If temperature is increased**
 - the hadron density also increases
 - this increases the recoupling probability
 - distance up to which the heavy quarks are still bind also becomes shorter
 - **the potential will break earlier**

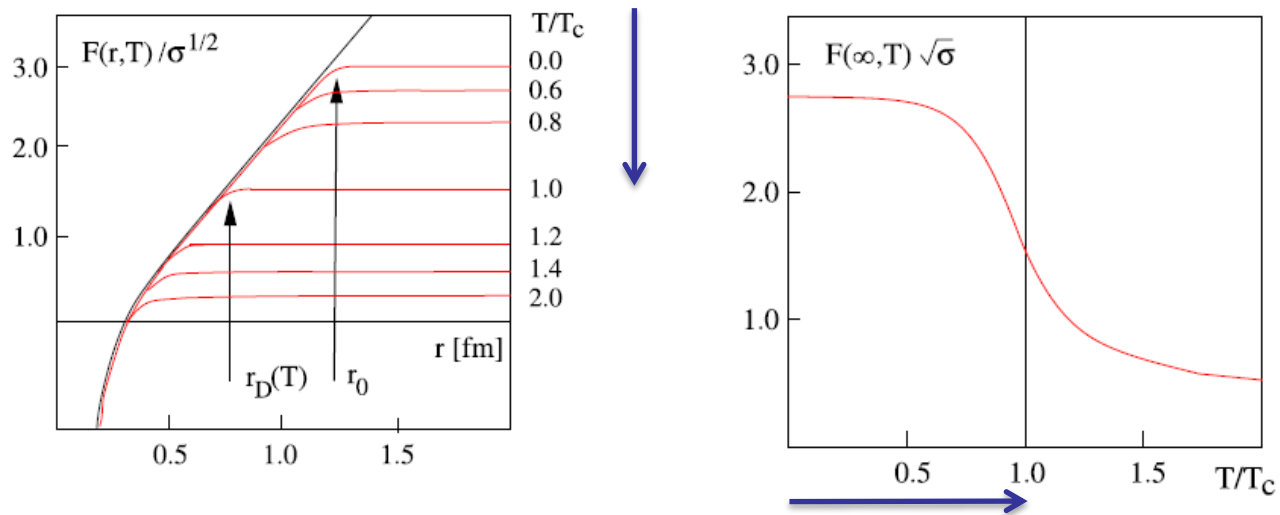
→ “effective screening”



[Satz1]

What happens if we go closer to T_c ?

- Density of produced hadrons will increase strongly.
- *Form lattice results:* The free energy and the string-breaking radius r_T decrease rapidly near T_c



[Satz1]

Slide-in: Debye screening in a plasma

- *To understand charmonium at $T \geq T_c$ in QGP, first have a short look on Debye screening in a electromagnetic plasma.*

- A test charge in a plasma is surrounded by charges of the opposite charge.

- This reduces the long range Coulomb potential:

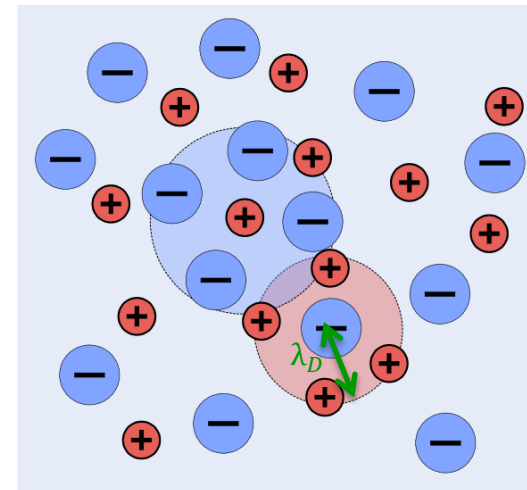
$$\frac{e^2}{r} \rightarrow \frac{e^2}{r} \exp(-\mu r)$$

with Debye radius $\lambda_D = \sqrt{\frac{\epsilon_0 k_B T_i}{n_e e^2}}$

and Debye mass $\mu_D = 1/\lambda_D$

→ At λ_D the Coulomb potential of a test charge drops to $1/e$.

→ Thus the test charge is effectively screened from charges outside the Debye sphere.



[<http://de.wikipedia.org/wiki/Debye-H%C3%BCckel-Theorie>]

$T \geq T_c$: Colour screening in the QGP

[original idea: T.Matsui & H.Satz, Physics Letter B178 (1986) 416]

- *Now*: charge \rightarrow colour charge
- QGP: a medium of unbound colour charges
 \rightarrow *here* it is assumed to be at full thermal equilibrium!
- Quarks and gluons are **screened**, just as electric charges in a plasma experience Debye screening.

- Simple screened “Schwinger potential” form:

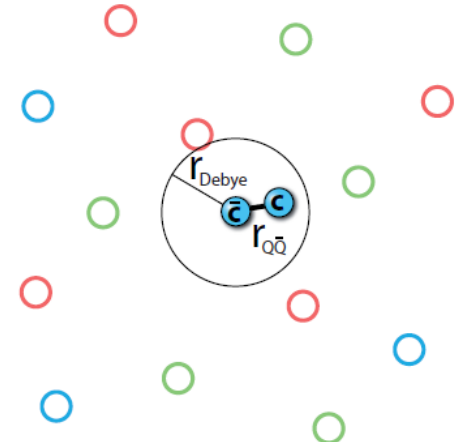
$$V(r, T) = \frac{\sigma}{\mu} (1 - e^{-\mu r}) - \frac{\alpha}{r} e^{-\mu r}$$

with colour screening mass $\mu(T) = \frac{1}{r_D(T)}$

and colour screening radius $r_D(T)$

\rightarrow For $\mu = 0$, vacuum form is recovered

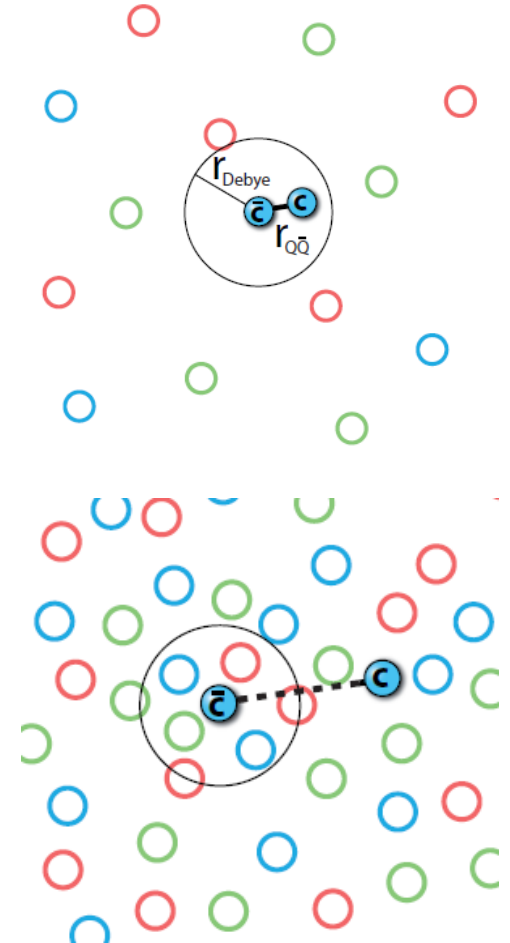
\rightarrow For large r : $V(r, T) \rightarrow \frac{\sigma}{\mu} \rightarrow$ *interesting implication!!!*



[Frederick Kramer, Dissertation (2012), Goethe-Universität]

$T \geq T_c$: Colour screening of charmonium

- Implant a charmonium into such a medium.
- By **increasing the temperature**
 - the medium increases in density
 - characteristic **colour screening radius r_D decreases**
- If $r_D \ll r_{Q\bar{Q}}$: the two heavy charm quarks cannot “see” each other and hence the bound state will “melt”.
- A single charm quark sees many other quarks and antiquarks and therefore can move around freely (surrounded by a gluon polarised cloud).
→ **deconfinement**



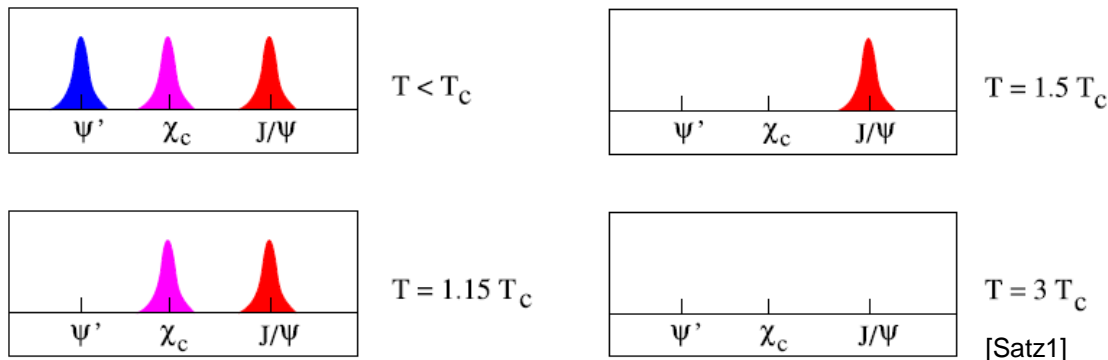
[Frederick Kramer, Dissertation (2012), Goethe-Universität]

Sequential melting of charmonium in the QGP

[original idea: T.Matsui & H.Satz, Physics Letter B178 (1986) 416]

- For each quarkonium state i the resulting Schrödinger equation provides the dissociation value r_i : $r > r_i$ bound state, $r \leq r_i$ dissociated.
- If temperature dependence of the screening radius is known, the dissociation radius r_i then determines the corresponding dissociation temperature T_i
- Each charmonium state dissociates at a different temperature, depending on the binding energy/radius

→ this could provide a **thermometer of the QGP**



State	J/ψ	χ_c	ψ'
Mass (GeV)	3.10	3.53	3.68
ΔE (GeV)	0.64	0.20	0.05
Radius (fm)	0.25	0.36	0.45

[Satz1]

- I. Motivation and the main idea of probing the QGP with charmonium
- II. Quarkonium properties
 - *charmonium*
- III. Charmonium at different temperatures
 - *string breaking, recoupling, color screening*
- IV. **Theoretical models to describe charmonium dissociation**
 - ***Schwinger model, potential models, lattice QCD results***
- V. Charmonium in heavy-ion collisions
 - *suppression or enhancement*
 - *experimental results*
 - *statistical hadronization model*
- VI. Summary and outlook

IV.) Theoretical models to calculate quarkonium dissociation points in a QGP



TECHNISCHE
UNIVERSITÄT
DARMSTADT

Two different approaches are used:

- 1) Solve the Schrödinger equation with a **temperature-dependent potential $V(r, T)$** with estimations from lattice QCD:
→ a) use Schwinger Model, b) use Lattice Potential Models
- 2) Calculate the quarkonium spectrum directly in **finite temperature lattice QCD**





1a) The Schwinger Model

[F. Karsch, M.-T. Mehr and H. Satz, Z. Phys. C 37 (1988) 617]

$$\text{Schrödinger equation: } -\frac{1}{m} \{ \nabla^2(\mathbf{r}) + V(\mathbf{r}, T) \} \psi_i(\mathbf{r}) = (M_i - 2m) \psi_i(\mathbf{r})$$

Screened “Schwinger potential”:

$$V(\mathbf{r}, T) = \frac{\sigma}{\mu} (1 - e^{-\mu r}) - \frac{\alpha}{r} e^{-\mu r}, \quad T > 0, \quad \text{with screening mass: } \mu(T) = \frac{1}{r_D(T)}$$

- Solve Schrödinger equation and determine bound-state energies $M_i(\mu)$
- Bound states disappears at some $\mu = \mu_i$
→ use $\mu(T) \cong 4T$ from first lattice estimates to determine T_i
- Results for charmonium:
 ψ' and χ_c become dissociated around $T = T_c$
 J/ψ survives up to about $T = 1.2T_c$

→ $\mu(T)$ assumed in its high energy form, lattice studies today show different behaviour near T_c

→ Schwinger form is 1D the reality is 3D

1b) Lattice Potential Models

[S. Digal, P. Petreczky and H. Satz, Phys. Lett. B 514 (2001) 57]

- Determine the internal energy $U(r, T)$ of a $Q\bar{Q}$ pair at separation distance r from lattice results for the corresponding free energy $F(r, T)$.

- Use thermodynamic relation of the free energy:

$$F(T) = U(T) - TS(T)$$

$$U(r, T) = F(r, T) - T \left(\frac{\partial F(r, T)}{\partial T} \right)_V$$

- Assuming that the internal energy provides the temperature dependence of the heavy quark potential, use results from $N_f = 2$ lattice QCD and solve the Schrödinger equation with $V(r, T) = U(r, T)$

- Results for charmonium:

ψ' and χ_c become dissociated around $T = 1.1T_c$

J/ψ survives up to about $T = 2T_c$

→ J/ψ internal energy leads to much higher binding than the Schwinger Model

→ still some ambiguity if U or F is the right potential → $aU + (1 - a)F$, with $0 \leq a \leq 1$

Deeper look into Lattice Potential Models

- Screening can be evaluated more generally for a given free energy

$$F(r) \sim r^q$$

with $q = 1$ (Cornell potential), $q = -1$ (Coulomb term) in $d = 3$ dimensions

- Calculate screening separately for the free energy:

$$F(\mathbf{r}, T) = F_s(\mathbf{r}, T) + F_c(\mathbf{r}, T) = \sigma \mathbf{r} f_s(\mathbf{r}, T) - \frac{\alpha}{r} f_c(\mathbf{r}, T)$$

- Use boundary conditions:

$$\begin{aligned} f_s(\mathbf{r}, T) &= f_c(\mathbf{r}, T) = 1 \text{ for } T \rightarrow 0 \text{ (there is no medium)} \\ f_s(\mathbf{r}, T) &= f_c(\mathbf{r}, T) = 1 \text{ for } r \rightarrow 0 \text{ (medium has no effect)} \end{aligned}$$

Resulting free energy $F(r, T)$

[V. V. Dixit, Mod. Phys. Lett. A5 (1990) 227]

The resulting free energy obtained from Debye-Hückel theory:

$$F(r, T) = F_s(r, T) + F_c(r, T)$$

- with Coulomb term:

$$F_c(r, T) = -\frac{\alpha}{r} [e^{-\mu r} + \mu r]$$

- and String term:

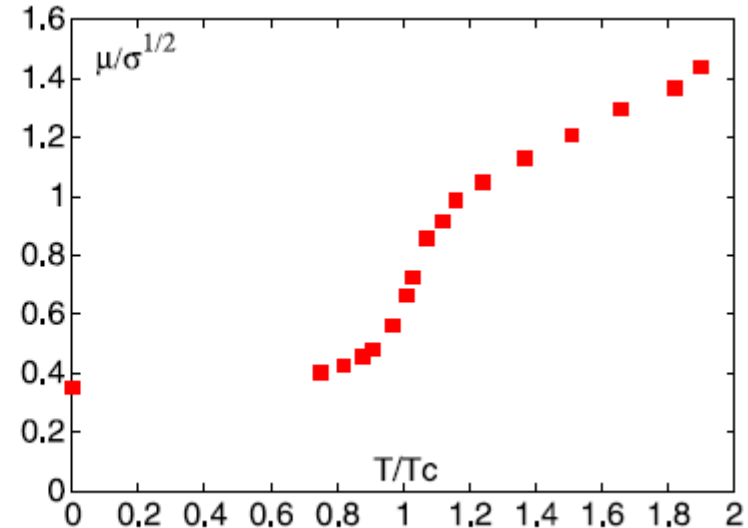
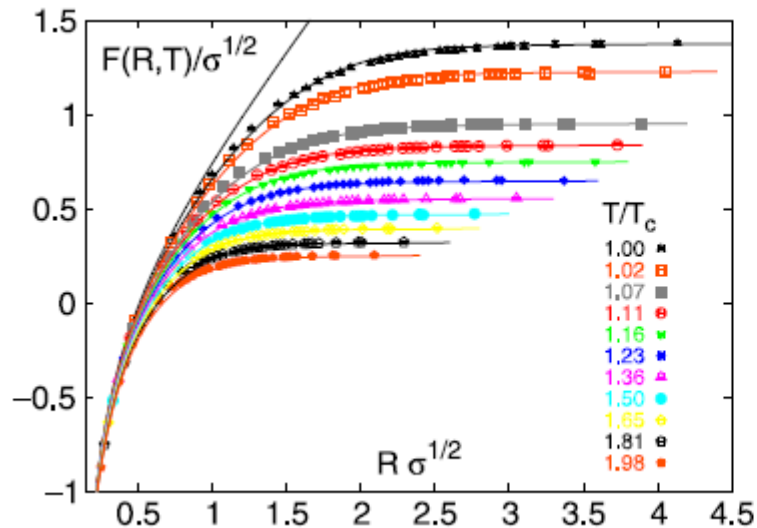
$$F_s(r, T) = -\frac{\sigma}{\mu} \left[\underbrace{\frac{\Gamma(1/4)}{2^{3/2}\Gamma(3/4)}}_{\text{Large distance limit due to colour screening}} - \underbrace{\frac{\sqrt{\mu r}}{2^{3/2}\Gamma(3/4)} K_{1/4}[(\mu r)^2]}_{\text{Gaussian cut-off in } x = \mu r \text{ Bessel function: } K_{1/4}(x^2) \sim \exp(-x^2)} \right]$$

Large distance
limit due to
colour
screening

Gaussian cut-off in $x = \mu r$
Bessel function:
 $K_{1/4}(x^2) \sim \exp(-x^2)$

Screening fits to the $Q\bar{Q}$ free energy

[S. Digal et al., Eur. Phys. J. C 43 (2005) 71]



[Satz1]

- Screening fits to the $Q\bar{Q}$ free energy $F(r,T)$ for $T \geq T_c$ calculated in two-flavour QCD.
- Debye mass $\mu(T)$ (only parameter), determined from free energy $F(r,T)$ fits.
→ first increases rapidly, then perturbative form $\mu \sim T$

Q \bar{Q} binding potential

- From resulting free energies $F_c(r, T)$ and $F_s(r, T)$ get for the Q \bar{Q} binding potential by using the thermodynamic relation $V(r, T) = U(r, T) = F(r, T) - T \left(\frac{\partial F(r, T)}{\partial T} \right)_V$ and rewrite the potential:

$$V(r, T) = V(\infty, T) + \tilde{V}(r, T)$$

with

$$\tilde{V}(r \rightarrow \infty, T) = 0$$

and

$$V(r \rightarrow \infty, T) = c_1 \frac{\sigma}{\mu} - \alpha\mu + T \frac{d\mu}{dT} \left[c_1 \frac{\sigma}{\mu^2} + \alpha \right],$$

with $c_1 = \Gamma(1/4) 2^{3/2} \Gamma(3/4)$

- $V(\infty, T)$ describes the energy of the cloud of quarks and gluons in a Debye sphere around the heavy quark relative to the cloud without a heavy quark.

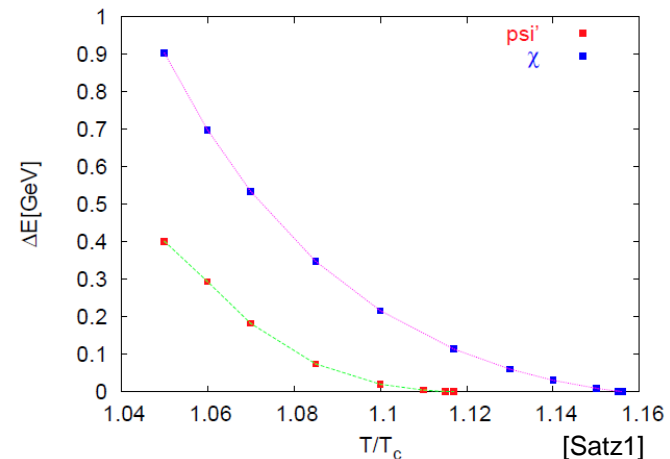
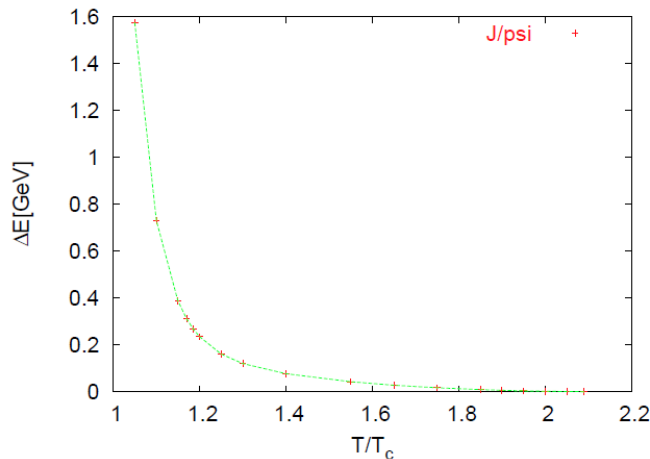
Full Schrödinger equation to determine $c\bar{c}$ dissociation temperature

- Put the potential $\tilde{V}(r, T)$ into the Schrödinger equation:

$$\left\{ \frac{1}{m_c} \nabla^2 - \tilde{V}(r, T) \right\} \Phi_i(r) = \Delta E_i(T) \Phi_i(r)$$

where $\Delta E_i(T) = V(\infty, T) - (M_i - 2m_c)$ is the binding energy of the charmonium state i .

- $E_i(T) = 0$ determines the dissociation temperature T_i for that state i .



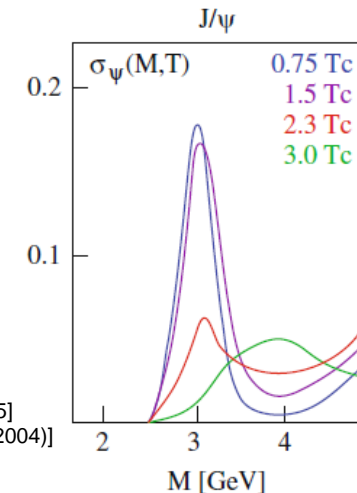
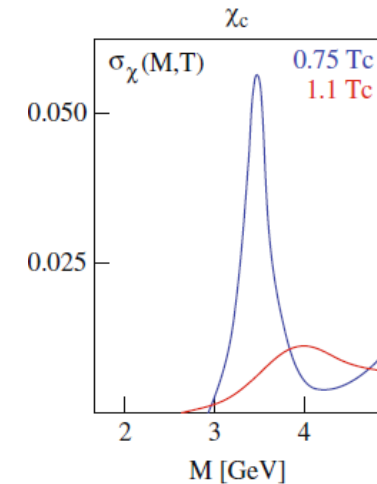
→ ψ' and χ_c become dissociated around $T = 1.1T_c$, J/ψ survives up to about $T = 2T_c$

2) Ideal case: Finite temperature lattice QCD

- Calculate $c\bar{c}$ spectral function $\sigma(\Omega, T)$ in the appropriate quantum channel as a function of the temperature T and the $c\bar{c}$ energy Ω .
- Bound states show up as resonances
- Simulate at different temperatures to find dissociation points
- Results:
 χ_c becomes dissociated $T \geq 1.1T_c$
 J/ψ persists up to $1.5 < T/T_c < 2.3$

→ *discretisation introduced by the lattice limits the resolution of the peak*

→ *very powerful computers needed*



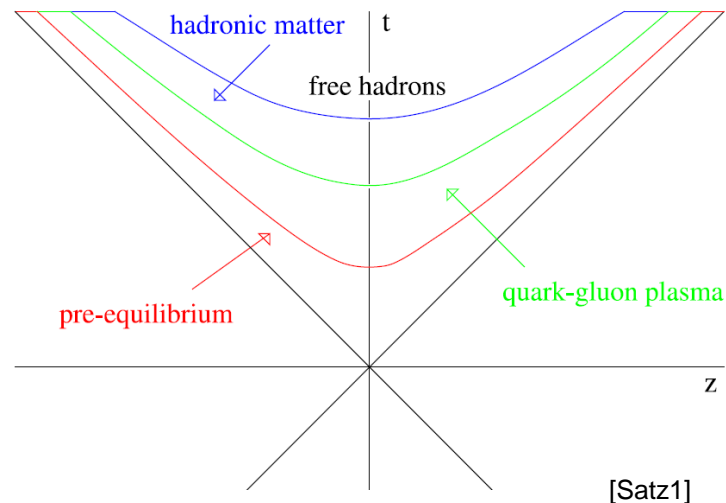
[T. Umeda et al., Int. J. Mod. Phys. A16 (2001) 2215]
[M. Asakawa and T. Hatsuda, Phys. Rev. Lett. 92 (2004)]
[S. Datta et al., Phys. Rev. D 69 (2004) 094507]
[H. Iida et al., hep-lat/0509129]

[Satz1]

- I. Motivation and the main idea of probing the QGP with charmonium
- II. Quarkonium properties
 - *charmonium*
- III. Charmonium at different temperatures
 - *string breaking, recoupling, color screening*
- IV. Theoretical models to describe charmonium dissociation
 - *Schwinger model, potential models, lattice QCD results*
- V. **Charmonium in heavy-ion collisions**
 - ***suppression or enhancement***
 - ***experimental results***
 - ***statistical hadronization model***
- VI. Summary and outlook

Time scales in nuclear collisions

- The original idea by T.Matsui & H.Satz (1986):
 - 1.) charmonium formation
 - 2.) QGP formation
 - 3.) sequential melting of charmonium in the QGP
 - 4.) decay of remaining charmonia and detection in particle detectors



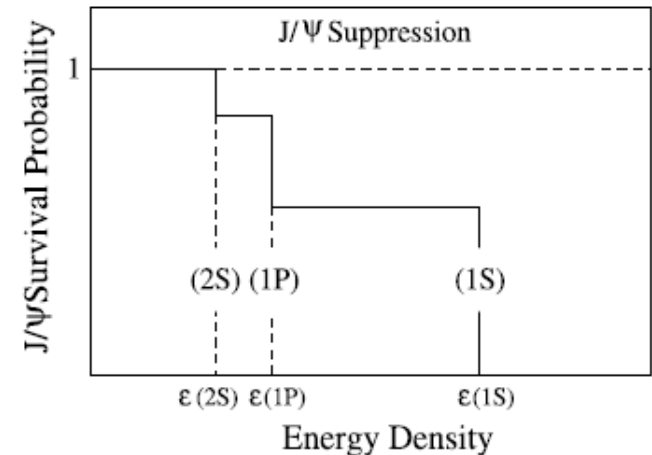
Sequential charmonium suppression

- J/ψ measured in hadron-hadron collisions are not all directly produced 1S charmonium states:

→ Feed-down:

- 60% (direct $J/\psi(1S)$)
- 40% ($\chi_c(1P) \rightarrow J/\psi + \text{anything}$)
- 10% ($\psi'(2S) \rightarrow J/\psi + \text{anything}$)

- With **increasing temperature or energy density**,
 - first the J/ψ originating from ψ' decay
 - then those from χ_c decay,
 - then the directly produced J/ψ 's will disappear



[Satz1]

Slide in: What is the suppression factor R_{AA} ?

[P. Braun-Munzinger, J. Stachel, arXiv:0901.2500v1]

- Note: charmonium suppression (or enhancement) is quantified by the **nuclear modification factor R_{AA}** .

$$R_{AA} = \frac{dN_{AA,J/\psi}/dy}{N_{coll} dN_{pp,J/\psi}/dy}$$

- It relates the charmonium yield in nucleus-nucleus (AA) collisions to that expected for superposition of independent nucleon-nucleon (pp) collisions.
- $dN_{AA,J/\psi}/dy$ is the rapidity density of the J/ψ yield integrated over transverse momentum and N_{coll} the number of binary collisions for a given centrality class.
- (simple: $R_{AA} = \text{medium/vacuum}$)

Experimental results from SPS, RHIC and

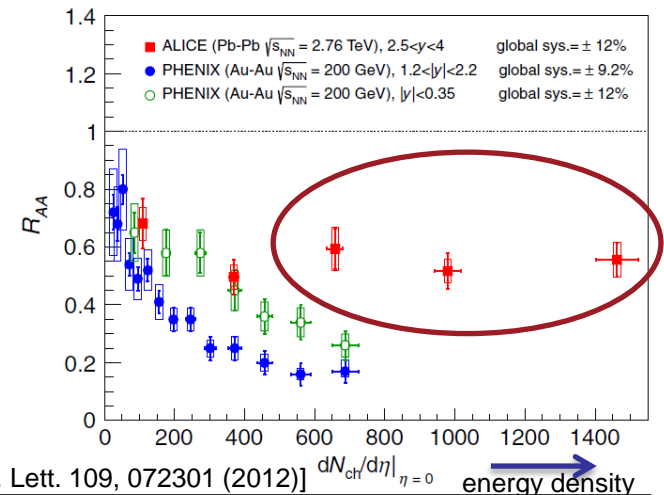
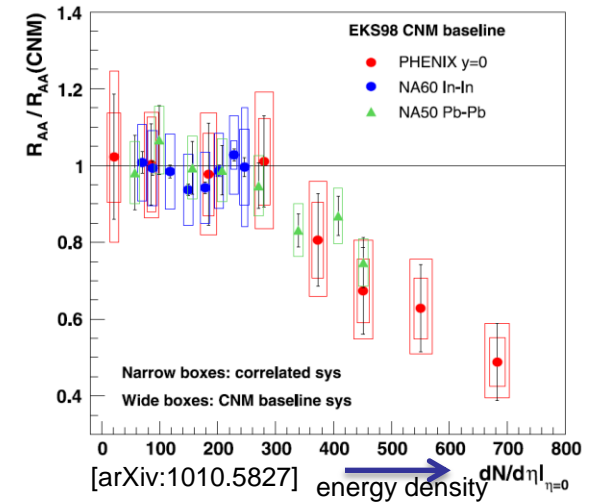
LHC

[N. Brambilla et al., arXiv:1010.5827 (2011)]
 [B. Abelev et al., Phys. Rev. Lett. 109, 072301 (2012)]
 [ALICE, ATLAS, CMS, arXiv:1208.1615 (2012)]



- SPS and RHIC data ($\sqrt{s} = 17 - 200$ GeV):
 → anomalous J/ψ suppression of about 40 – 50% for central collisions
 → *explanation*: suppression of the excited states χ_C and ψ' and the survival of the directly produced J/ψ
 → “fingerprint” of a QGP

- LHC data ($\sqrt{s} = 2.76$ TeV):
 → **difference** between results from RHIC and LHC
 → **less suppression** when increasing the energy density



[B. Abelev et al., Phys. Rev. Lett. 109, 072301 (2012)]

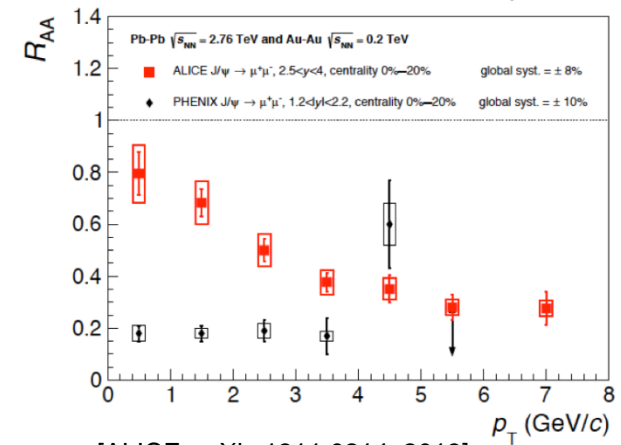
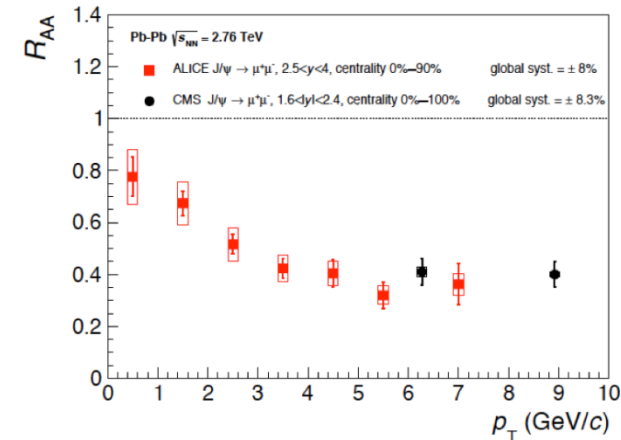


p_T dependence of J/ψ R_{AA}

[ALICE, arXiv:1311.0214, 2013]

- Clear p_T dependence of J/ψ suppression observed.
- At forward-rapidity the J/ψ R_{AA} exhibits a strong p_T dependence and decreases by a factor of 2 from low p_T to high p_T .
- This behavior exhibits a large difference with that observed by PHENIX at $\sqrt{s_{NN}} = 200$ GeV.
- This result suggests that a fraction of the J/ψ yield is produced via (re)combination of charm quarks

→ enhancement of J/ψ takes place dominantly at low p_T

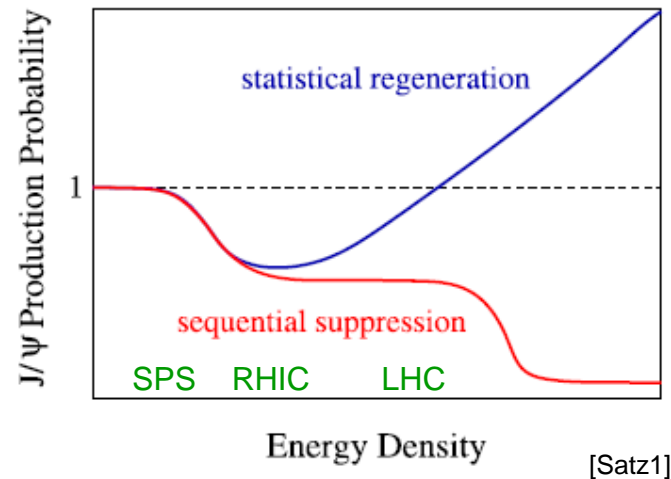


[ALICE, arXiv:1311.0214, 2013]

Statistical regeneration of charmonium

[original idea: P. Braun-Munzinger & J. Stachel, Phys. Lett. B490, 196 (2000)]

[A. Andronic et al., J. Phys. G38, 124081 (2011)]



- Medium produced in high energy nuclear collisions differs from deconfined state of matter studied in finite temperature QCD
→ it is not at full thermal equilibrium
- Basic idea: Nuclear collisions at very high energies initially produce more than thermally expected charm, leading to a new form of combinatorial charmonium production at hadronization.

New model: statistical hadronization model

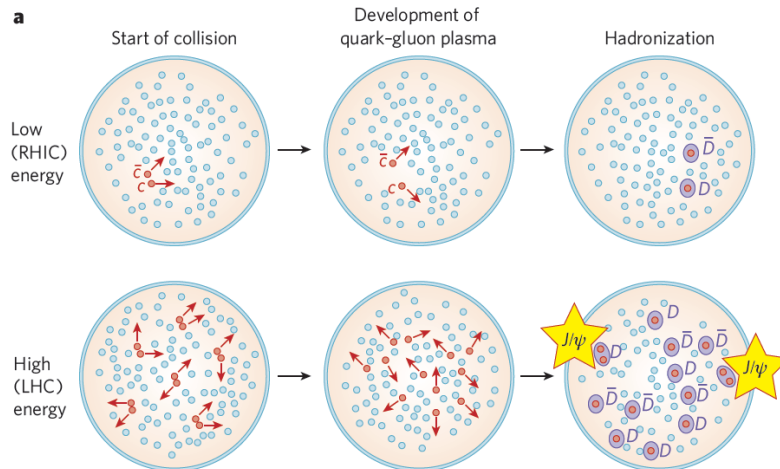
[original idea: P. Braun-Munzinger & J. Stachel, Phys. Lett. B490, 196 (2000)]

[A. Andronic et al., J. Phys. G38, 124081 (2011)]

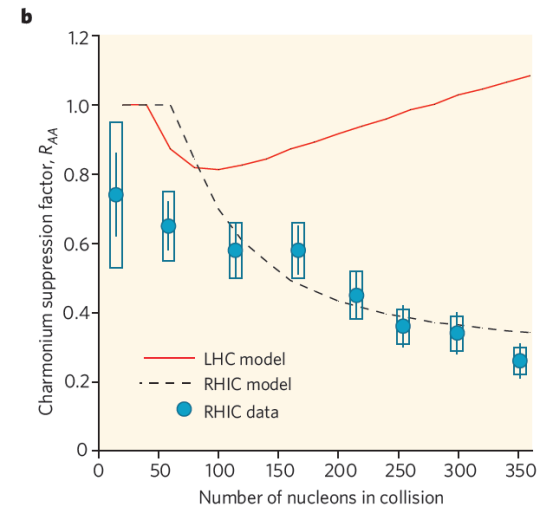
At high LHC energies:

- different time scales: $t_{collision} \ll \tau_{QGP}$ (at SPS and RHIC $t_{collision} \cong \tau_{QGP}$)
- much more charm quark pairs are produced
- all charm quarks are produced in hard collisions, $N_{c\bar{c}} = const.$
- all charmonia are dissolved in QGP
- no feed-down from higher charmonia
- J/ψ production through statistical regeneration at the “cooler” base boundary

$$N_{J/\psi} \sim N_{c\bar{c}}^2$$



[P. Braun-Munzinger, J. Stachel, Nature Vol. 448, No. 7151 pp 269-312 (2007)]

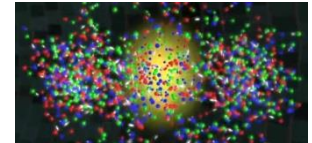
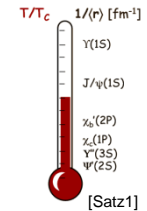


- I. Motivation and the main idea of probing the QGP with charmonium
- II. Quarkonium properties
 - *charmonium*
- III. Charmonium at different temperatures
 - *string breaking, recoupling, color screening*
- IV. Theoretical models to describe charmonium dissociation
 - *Schwinger model, potential models, lattice QCD results*
- V. Charmonium in heavy-ion collisions
 - *suppression or enhancement*
 - *experimental results*
 - *statistical hadronization model*
- VI. **Summary and outlook**

Summary & outlook

Consequences at high LHC energies:

- It seems that charmonium could not any longer serve as a thermometer?
- **BUT:** The enhancement of J/ψ is also a “fingerprint” of a QGP, in which charm quarks are effectively **deconfined**.
- Have to turn to bottomium stages, where (re)formation through recombination appears unlikely (CMS Collaboration, arXiv:1105.4894 (2011))



Bibliography

[Satz1] H.Satz, *Extreme States of Matter in Strong Interaction Physics*, Springer 2012, Lecture Notes in Physics Volume 841

H.Satz et al., *The Physics of the Quark-Gluon Plasma*, Springer 2010, Lecture Notes in Physics Volume 785

T. Matsui and H. Satz, *Physics Letter B*178 (1986) 416

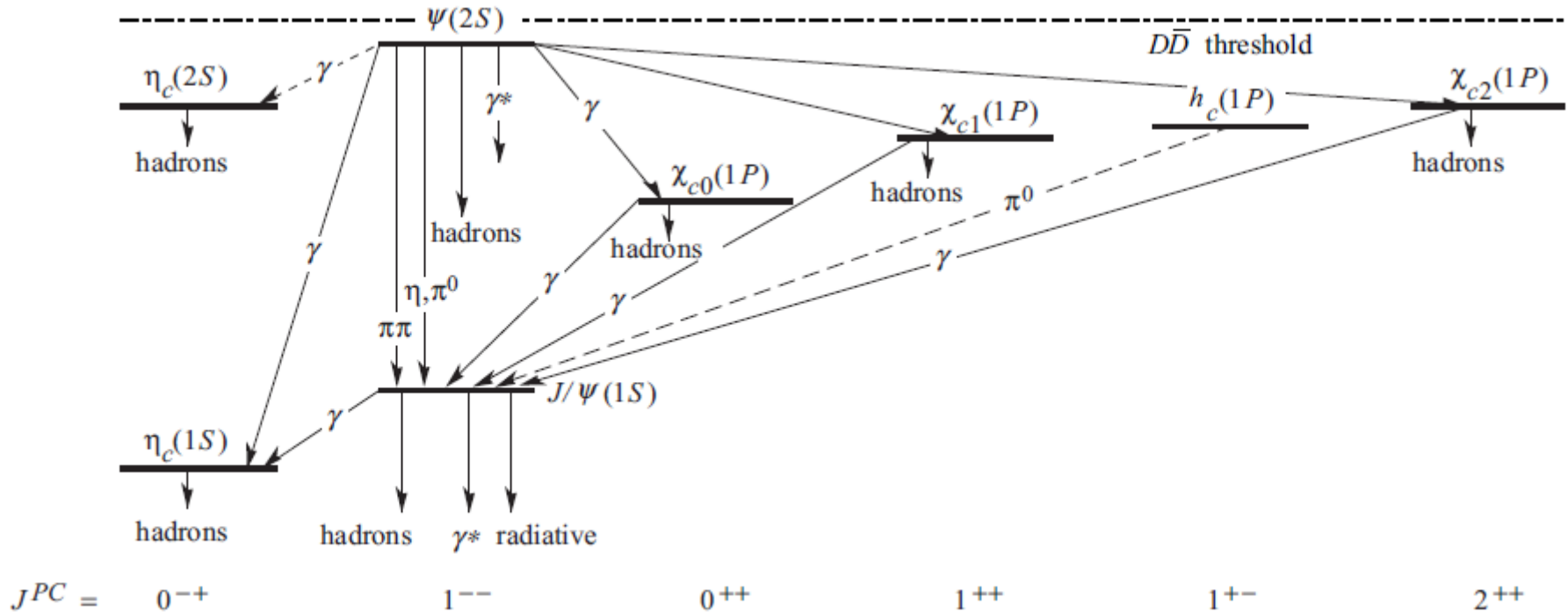
H.Satz, arXiv:hep-ph/0512217 (2005)

P. Braun-Munzinger, J. Stachel, arXiv:0901.2500 (2009)

P. Braun-Munzinger, *Lecture 3: the charmonium story*, 2013

Thank you for your attention!!!

Backup



J/ψ decay channels $\rightarrow e^+e^-$ ($\sim 6\%$) or $\rightarrow \mu^+\mu^-$ ($\sim 6\%$)

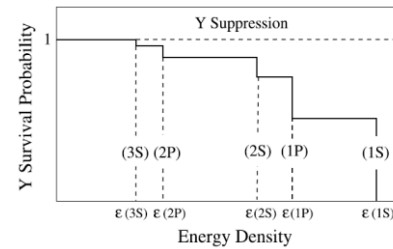
$\Gamma = 93 \text{ keV}$, $\tau \sim 1/\Gamma \sim 10^{-20} \text{ s}$

Also bottomium states can be usefully to probe the QGP

- $b\bar{b}$ i.e. Y states have higher binding energies
→ useful at high LHC energies

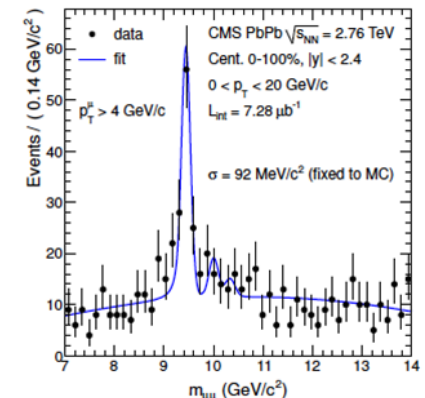
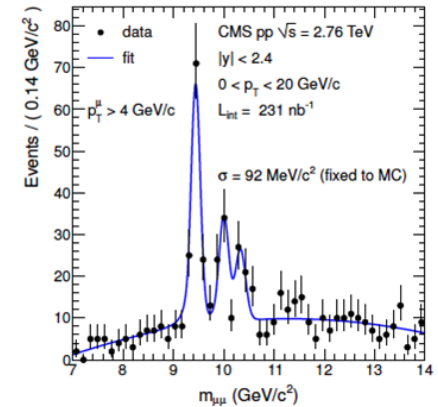
State	J/ψ	χ_c	ψ'	Υ	χ_b	Υ'	χ_b'	Υ''
exp. mass [GeV]	3.07	3.53	3.68	9.46	9.99	10.02	10.26	10.36
ΔM [GeV]	0.02	-0.03	0.03	0.06	-0.06	-0.06	-0.08	-0.07
ΔE [GeV]	0.64	0.20	0.05	1.10	0.67	0.54	0.31	0.20
radius [fm]	0.25	0.36	0.45	0.14	0.22	0.28	0.34	0.39

charmonium
bottomium



[Satz1]

- CMS results for p-p compared to Pb-Pb collisions:
→ Y(2S) and Y(3S) suppression ~70%
→ Y(1S) suppression ~ 40%



Bottomonium production in pp (up) and Pb-Pb (down) collisions

[Phys. Rev. Lett. 107, 052302 (2011)]

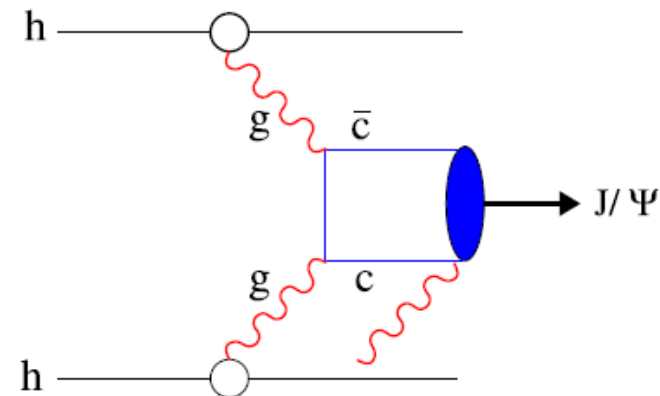
Charmonium production in hadronic collisions

- Quarkonium production in hadron–hadron collisions:

- 1.) production of a heavy quark pair by gluon fusion in early hard scattering processes
- 2.) colour neutralization to a colour singlet state (very small fraction)
- 3.) physical bound state, i.e. J/ψ

- Different models to calculate production rate:

- * Color Singlet Model (CSM),
- * Color Evaporation Model (CEM)
- * NRQCD, includes Color Octet (CO) contributions



[Satz1]

Outlook: Formation of charmonia by transport model

[X. Zhao and R. Rapp, Nucl. Phys. A859, 114 (2011)]
 [Y.-P. Liu et al., Phys. Lett. B678, 72 (2009)]

- Spectral properties of charmonia are constrained by correlators from thermal lattice QCD and subsequently implemented into a Boltzmann equation accounting for both suppression and regeneration reactions.
- Cold nuclear matter effects (shadowing, absorption)
- Suppression in hot medium
- Feed down from B mesons
- J/ψ from regeneration ($\geq 50\%$)

