



Hirscheegg 2012

*“Precision Penning Trap
Experiments with Exotic Ions”*



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January 16, 2012



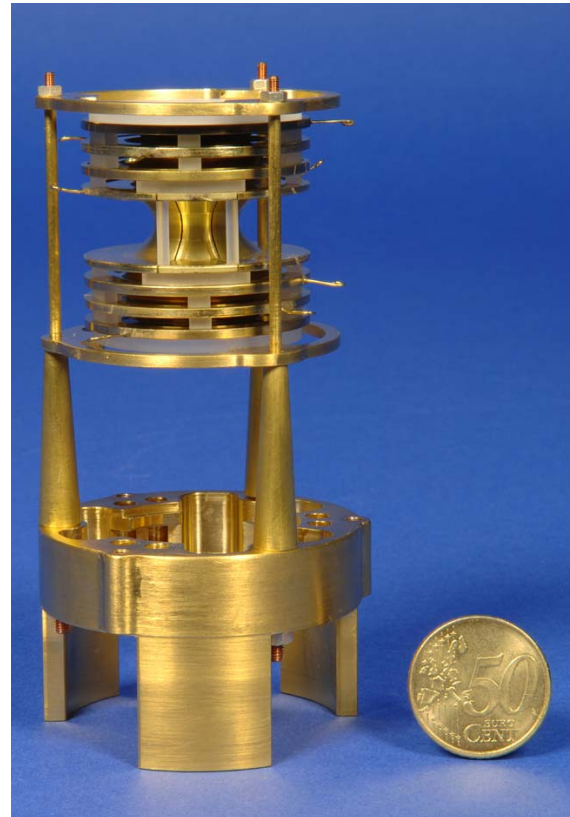
Outline

- **Introduction and motivation**
- **Principle of Penning traps**
- **Setup and measurement procedure**
- **Precision mass and g -factor measurements**



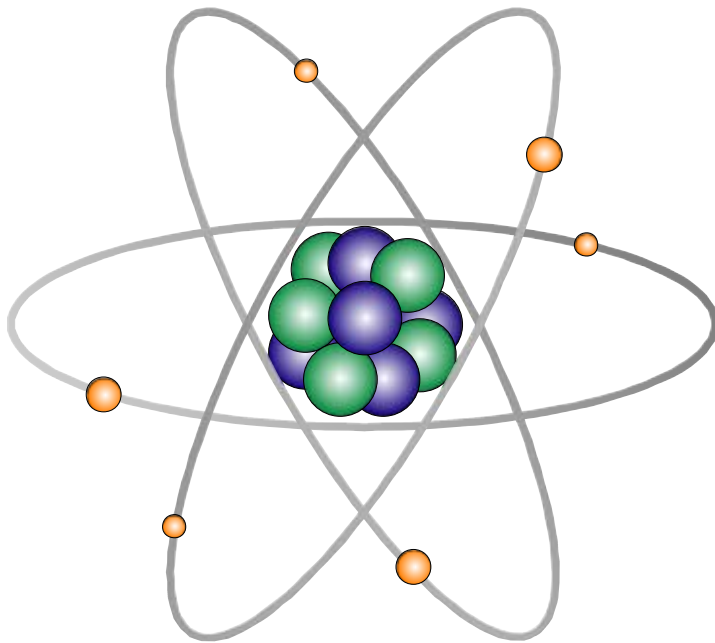
Part I

High-precision mass measurements



Applications of precision masses

High-accuracy mass measurements allow one to determine the atomic and nuclear binding energies reflecting all forces in the atom/nucleus.

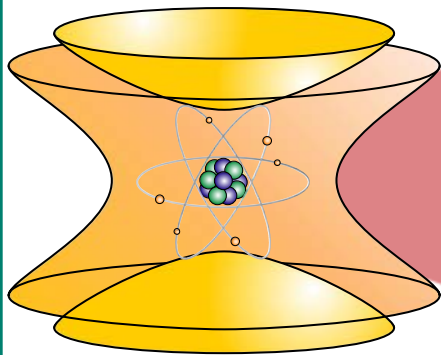


$$= N \cdot \text{green sphere} + Z \cdot \text{purple sphere} + Z \cdot \text{orange sphere} - \text{binding energy}$$

$$M_{\text{Atom}} = N \cdot m_{\text{neutron}} + Z \cdot m_{\text{proton}} + Z \cdot m_{\text{electron}} - (B_{\text{atom}} + B_{\text{nucleus}})/c^2$$

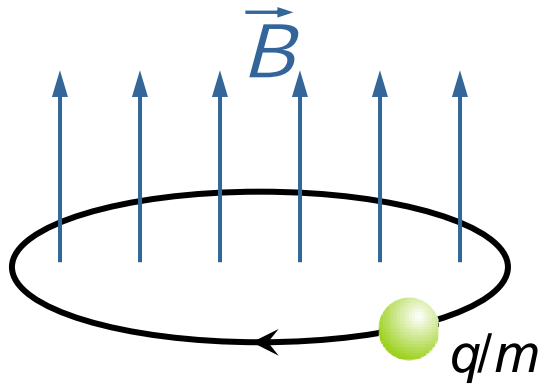
Why measuring atomic masses?

Atomic and nuclear binding energies reflect all forces acting in the atom/nucleus.



	$\delta m/m$
General physics & chemistry	$\leq 10^{-5}$
Nuclear structure physics - separation of isobars	$\leq 10^{-6}$
Astrophysics - separation of isomers	$\leq 10^{-7}$
Weak interaction studies	$\leq 10^{-8}$
Metrology - fundamental constants Neutrino physics	$\leq 10^{-9}$
CPT tests	$\leq 10^{-10}$
QED in highly-charged ions - separation of atomic states	$\leq 10^{-11}$

Principle of Penning trap mass spectrometry

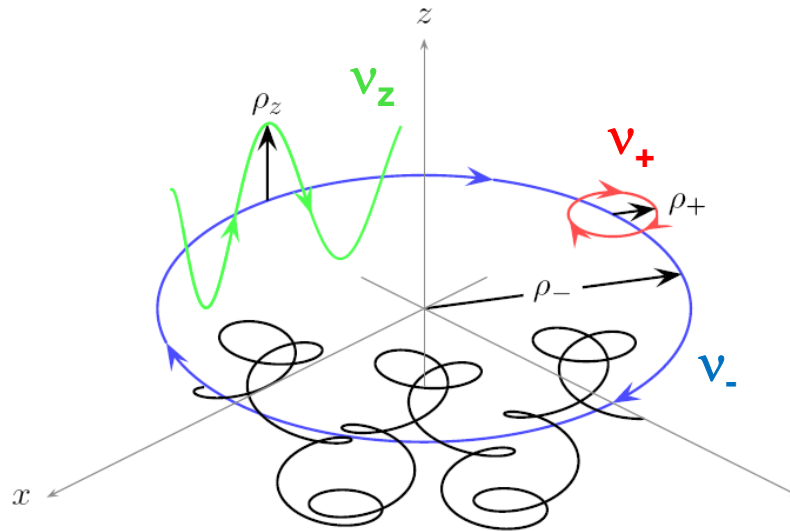
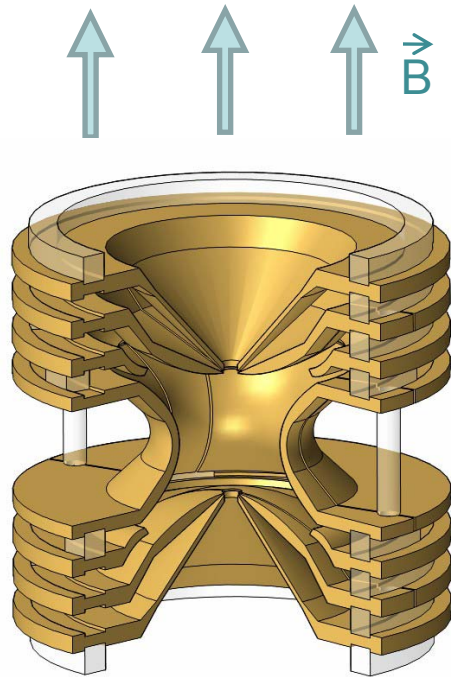


Cyclotron frequency:

$$f_c = \frac{1}{2\pi} \cdot \frac{q}{m} \cdot B$$

PENNING trap

- Strong homogen. magnetic field
- Weak electric 3D quadrupole field



Typical freq.

$$q = e$$

$$m = 100 \text{ u}$$

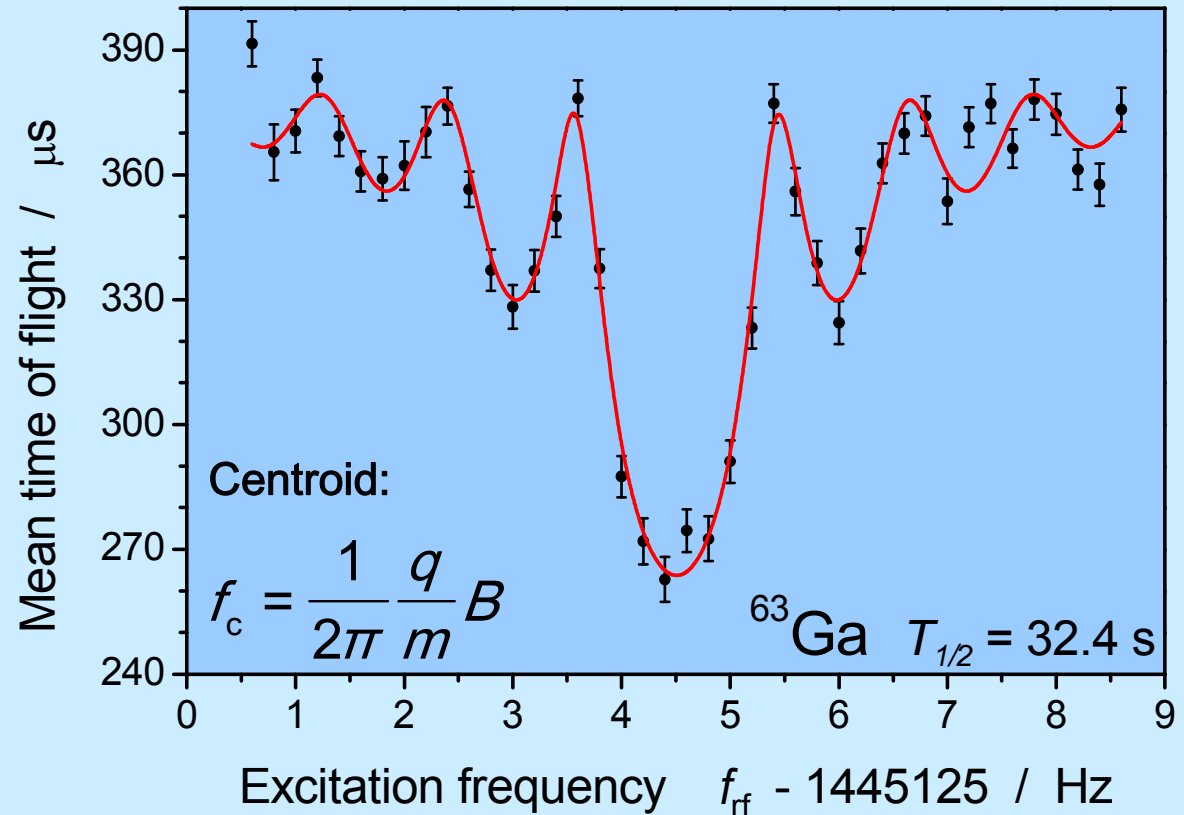
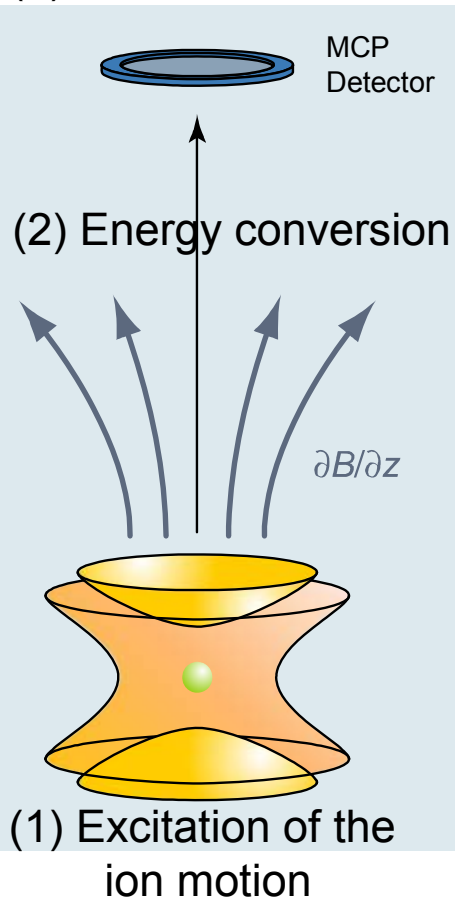
$$B = 6 \text{ T}$$

$$\Rightarrow f_- \approx 1 \text{ kHz}$$

$$f_+ \approx 1 \text{ MHz}$$

TOF cyclotron resonance detection

(3) TOF measurement



Determine atomic mass from frequency ratio
with a well-known “reference mass”.

$$\frac{f_{c,\text{ref}}}{f_c} = \frac{m - m_e}{m_{\text{ref}} - m_e}$$



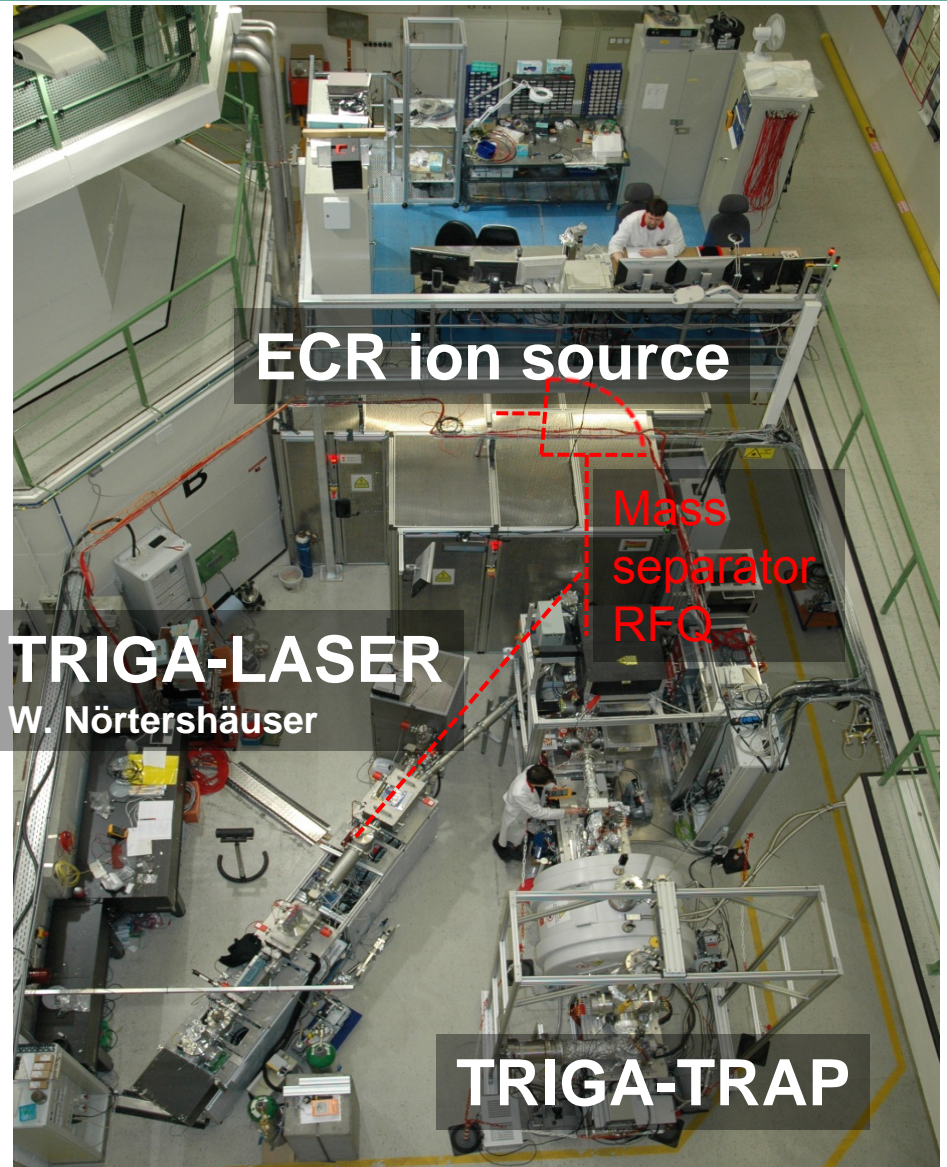
TRIGA-SPEC: TRIGA-LASER + TRIGA-TRAP

project start @ TRIGA: 01/08
start data taking: 05/09



steady 100 kW,
pulsed 250 MW,
neutron flux 1.8×10^{11} / cm²s

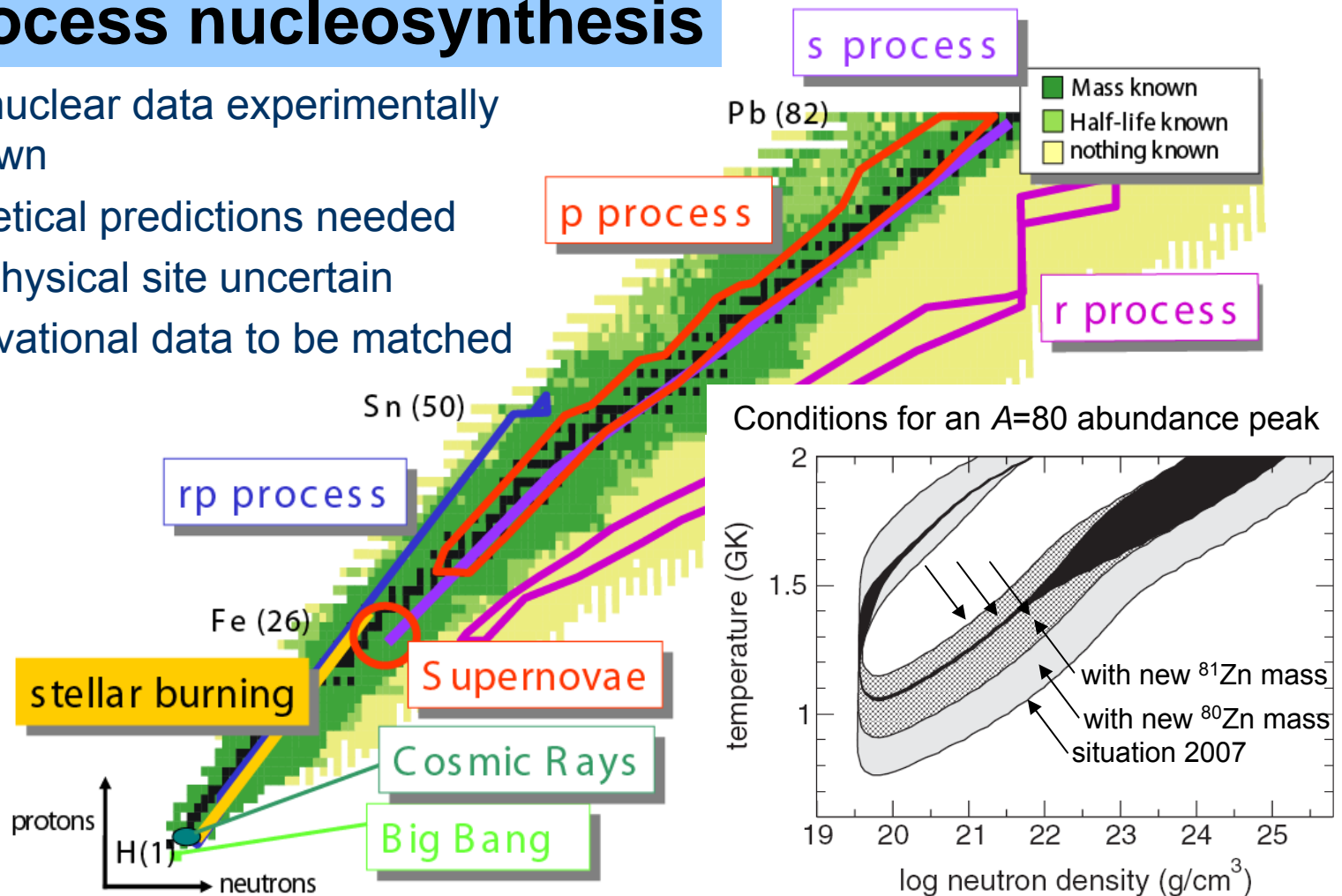
Nucl. Instrum. Meth. A 594, 162 (2008)



Making gold in nature

r-process nucleosynthesis

- Most nuclear data experimentally unknown
- Theoretical predictions needed
- Astrophysical site uncertain
- Observational data to be matched



D. Rodríguez *et al.*, Phys. Rev. Lett. 93, 161104 (2004)

S. Baruah *et al.*, Phys. Rev. Lett. 101, 262501 (2008)

X.L. Tu *et al.*, Phys. Rev. Lett. 106, 112501 (2011)

E. Haettner *et al.*, Phys. Rev. Lett. 106, 122501 (2011)

Neutrino-less double EC ($0\nu 2EC$)

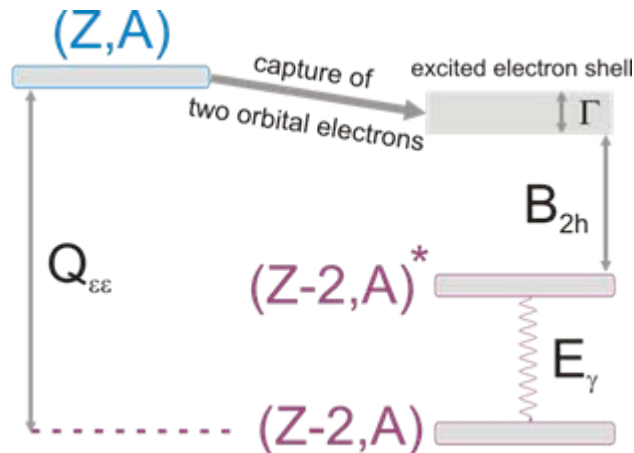
Is the neutrino a Majorana or Dirac particle?

$2\nu 2EC$ ($T_{1/2} > 10^{24} \text{y}$)

$0\nu 2EC$ ($T_{1/2} > 10^{30} \text{y}$)

$$\frac{1}{T_{1/2}} = C \times m_\nu^2 \times |M|^2 \times |\Psi_{1e}|^2 \times |\Psi_{2e}|^2 \times \frac{\Gamma}{(Q - B_{2h} - E_\gamma)^2 + \frac{1}{4}\Gamma^2}$$

$0\nu 2EC$ might be resonantly enhanced ($T_{1/2} \sim 10^{25} \text{y}$)

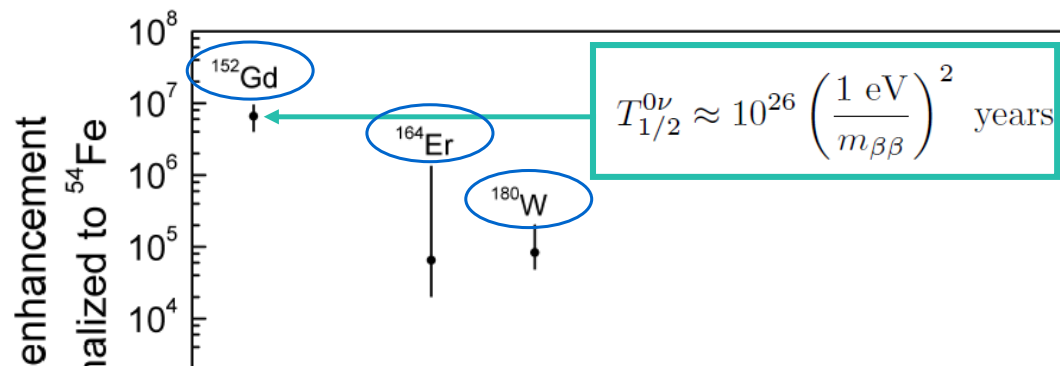


Contribution of Penning traps:

Search for nuclides with $\Delta = (Q_{ee} - B_{2h} - E_\gamma) < 1 \text{ keV}$
by measurements of Q_{ee} -values
at $\sim 100 \text{ eV}$ accuracy level

Resonance enhancement factors

2EC - transition	Δ (old), keV	Δ (new), keV	$T_{1/2} \cdot m^2, yr$
$^{152}\text{Gd} \rightarrow ^{152}\text{Sm}$	-0.2(3.5)	0.9(0.2)	10^{26}
$^{164}\text{Er} \rightarrow ^{164}\text{Dy}$	5.2(3.9)	6.81(0.12)	10^{30}
$^{180}\text{W} \rightarrow ^{180}\text{Hf}$	13.7(4.5)	12.4(0.2)	10^{27}



If $m_{\beta\beta} = 1 \text{ eV}$

30 kg for 1 capture event a year

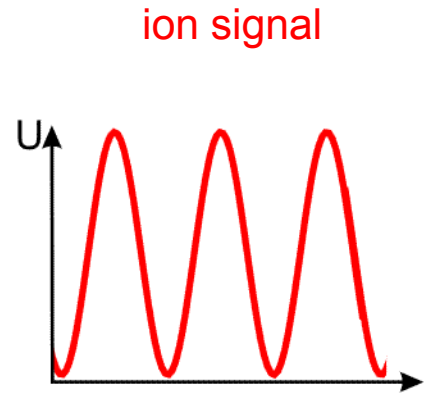
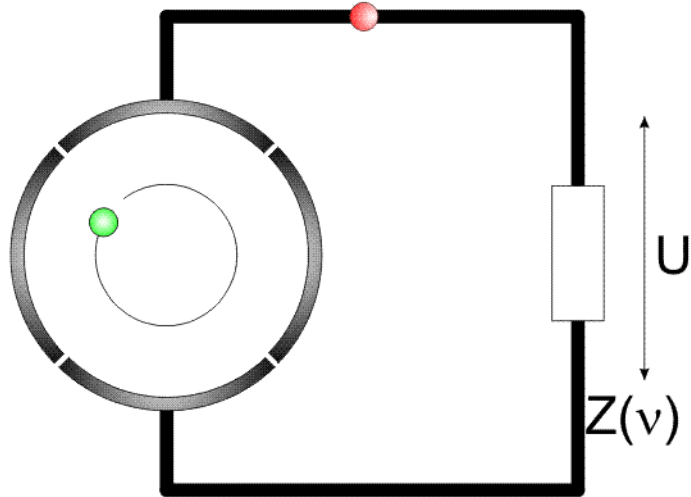


If $m_{\beta\beta} = 0.1 \text{ eV}$

3 tons for 1 capture event a year

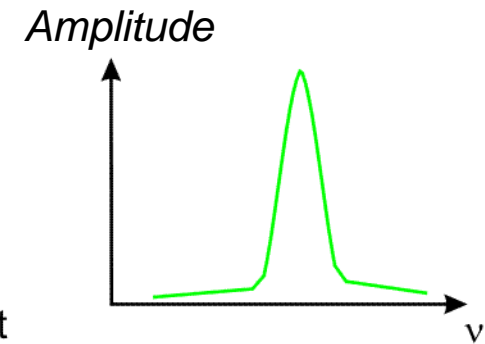
^{152}Gd can be used for a search for $0\nu 2\text{EC}$

Non-destructive ion detection



very small
signal $\sim fA$

mass/frequency spectrum



„FT-ICR“
Fourier-Transform-
Ion Cyclotron Resonance

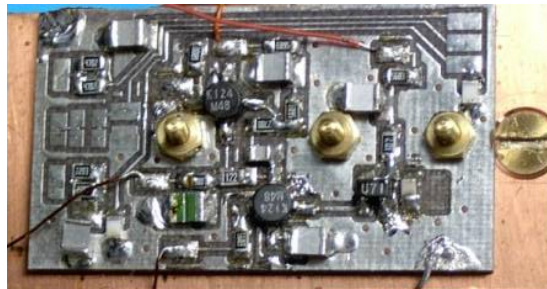
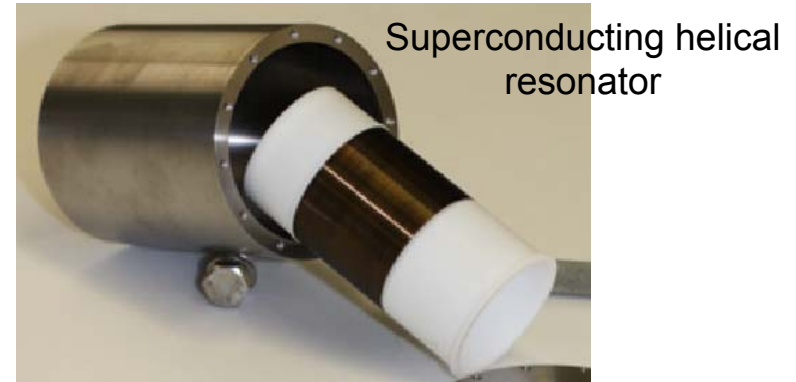
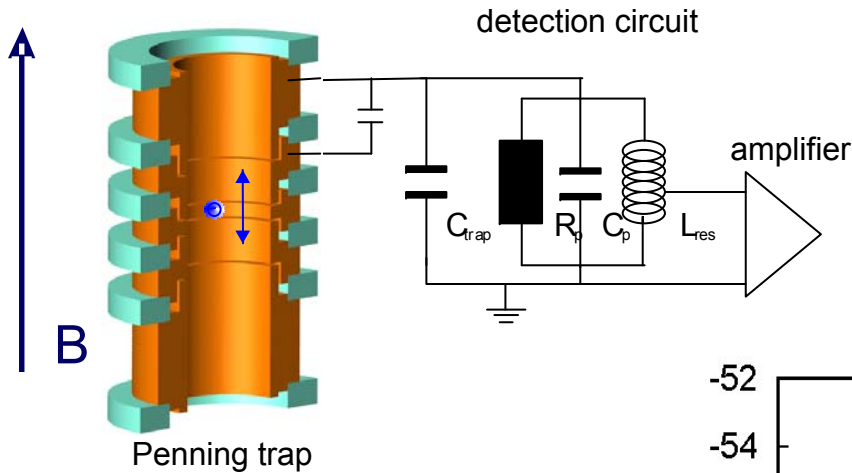
Induced current: $I_{\text{eff}} = 1/\sqrt{2} \cdot r_{\text{ion}} / D \cdot \omega \cdot q$

(Schottky et al. ...)

Signal / Noise $S/N \sim 1 / T^{1/2}$

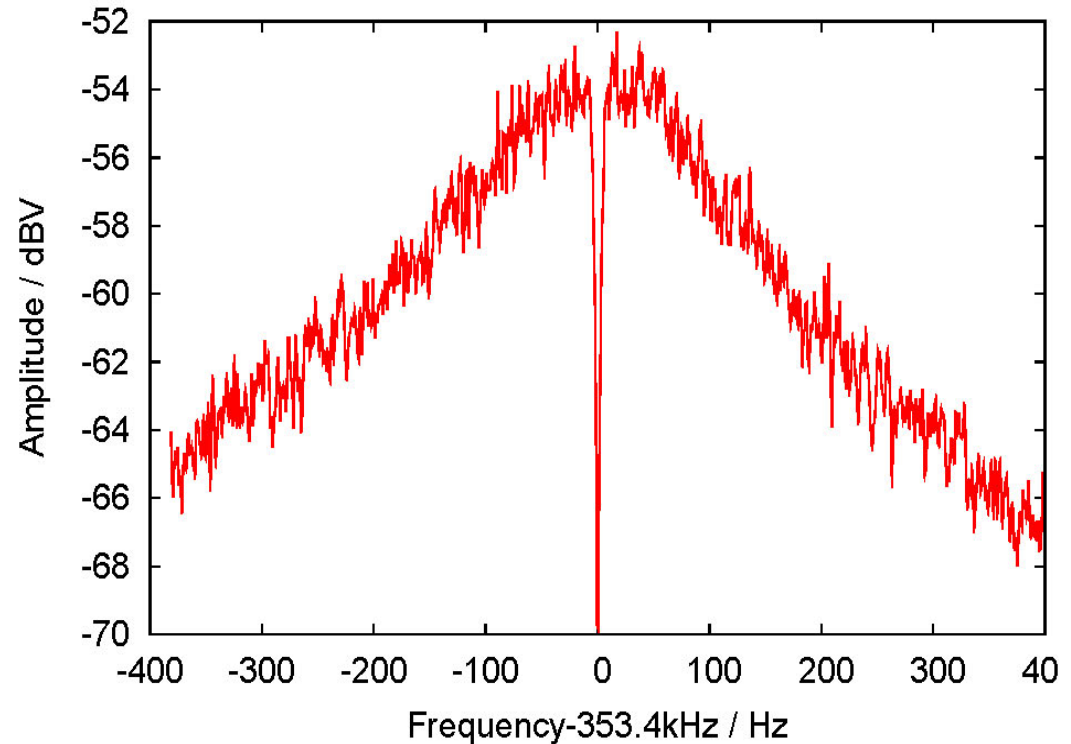
Operation of traps and electronics at **cryogenic** (4 K) temperature.

Single ion sensitivity



Ultra-low noise cryogenic amplifier

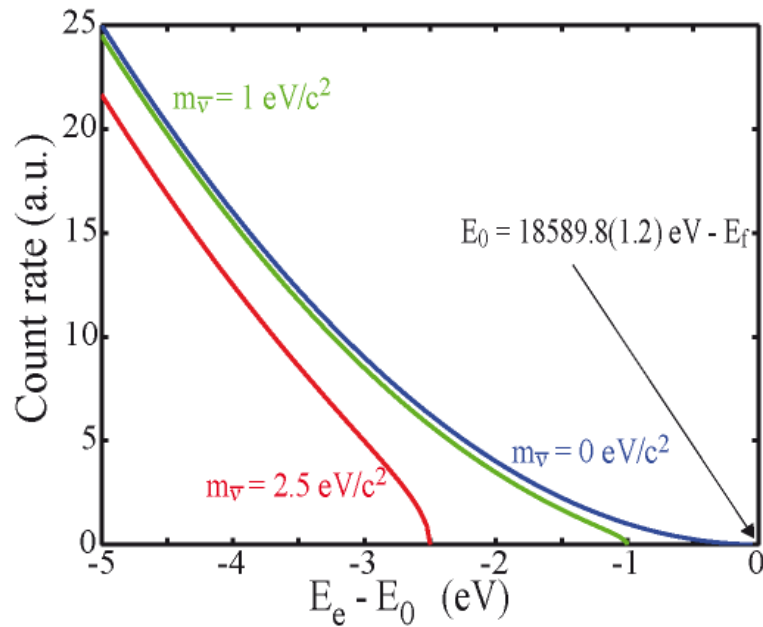
$$\begin{aligned} T &= 4 \text{ K} \\ P &= 5.5 \text{ mW} \\ e_n &= 400 \text{ pV}/\sqrt{\text{Hz}} \\ i_n &< 2 \text{ fA}/\sqrt{\text{Hz}} \\ \nu_z &= 600 \text{ kHz} \end{aligned}$$





The-TRAP for KATRIN

A high-precision $Q(^3\text{T}-^3\text{He})$ -value measurement



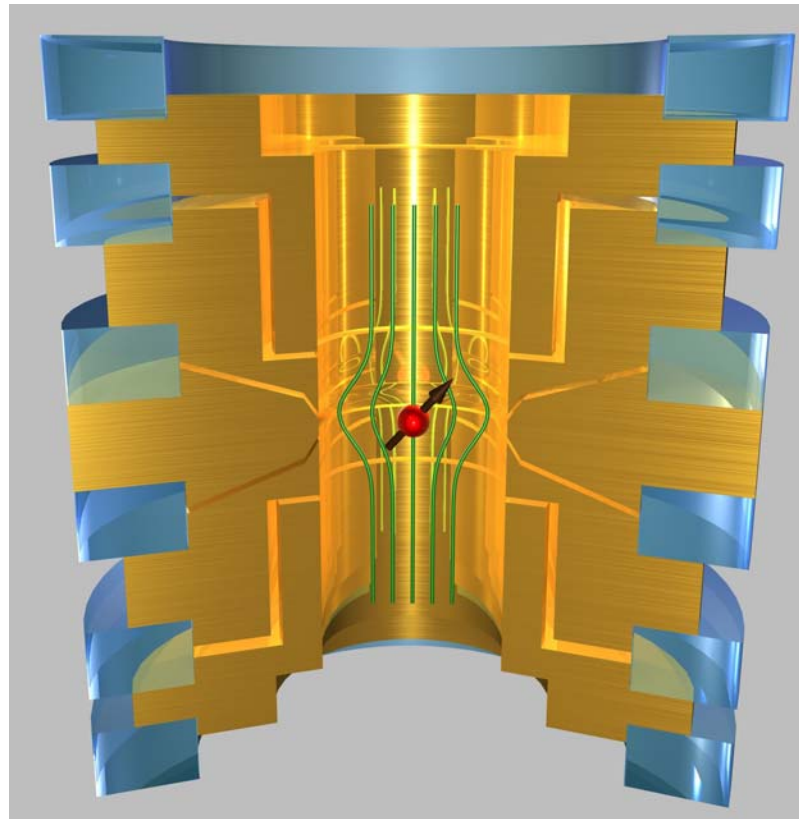
We aim for: $\delta Q(^3\text{T} \rightarrow ^3\text{He}) = 20 \text{ meV}$
 $\delta m/m = 7 \cdot 10^{-12}$

$\Delta T < 0.05 \text{ K/d at } 24^\circ\text{C}$
 $\Delta B/B < 10 \text{ ppt/h}$ $\Delta x \leq 0.1 \mu\text{m}$

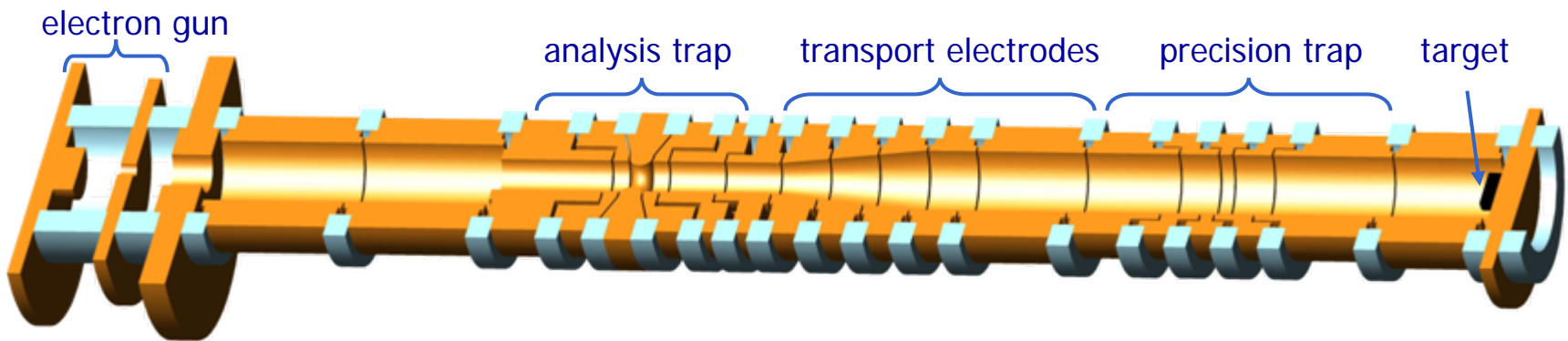
First ${}^{12}\text{C}^{4+}/{}^{16}\text{O}^{6+}$ mass ratio measurement at $\delta m/m_{stat} = 4 \cdot 10^{-11}$ performed.

Part II

The g factor of a free proton

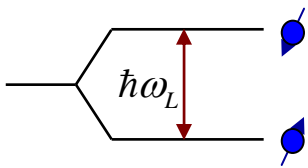


The g -factor (anti)proton experiment



The analysis trap

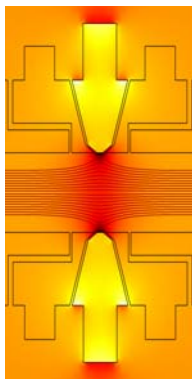
The cryostat



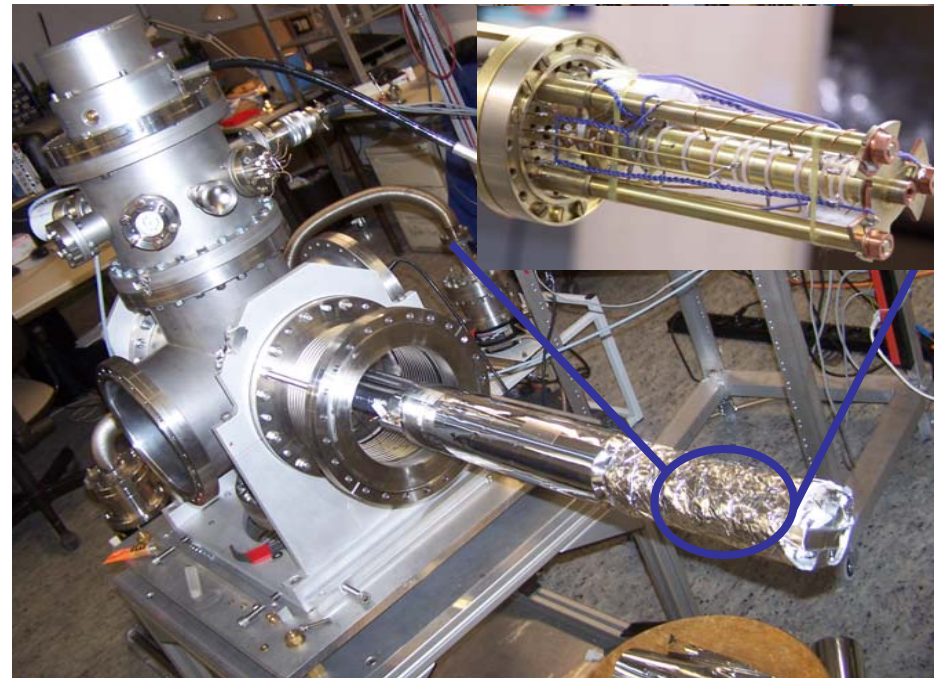
$$\omega_L = \frac{2\mu \cdot B}{\hbar} = g \frac{e}{2m_p} B$$

$$g = 2 \frac{\omega_L}{\omega_c}$$



$$\omega_c = \frac{e}{m_p} B$$

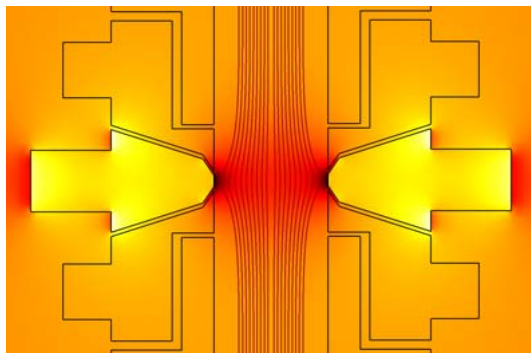
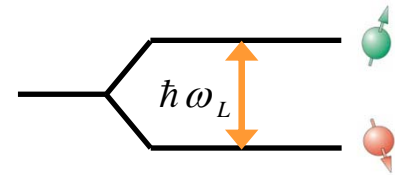


COMSOL simulation



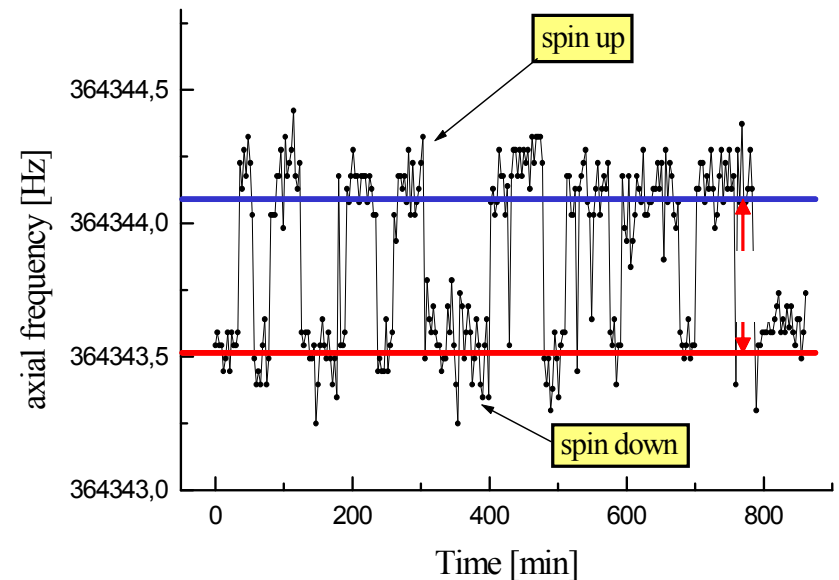
Continuous Stern-Gerlach effect

- Larmor-frequency cannot be directly measured
- Microwaves are irradiated to induce a spin flip
→ Spin direction has to be detectable
- Magnetic inhomogeneity produces an effective spin-dependent potential
 - Axial frequency depends on spin-direction
 - Small frequency difference between  and  : $\Delta \nu_z \cong \frac{g \cdot \mu_B \cdot B_2}{4\pi^2 \cdot m_{ion} \cdot v_{z_0}} = 240 \text{ mHz}$

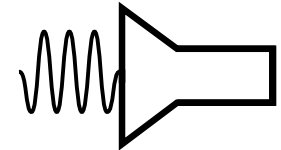
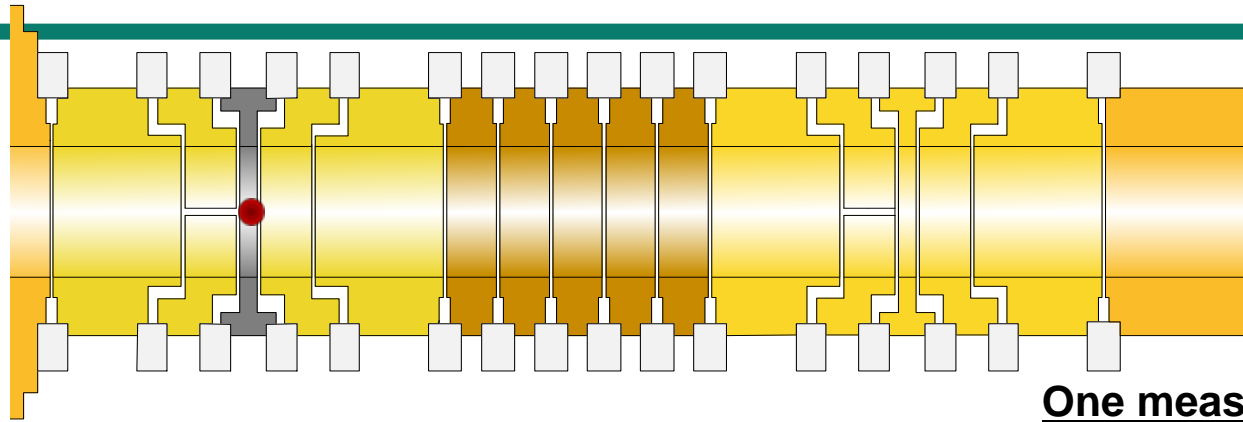


COMSOL simulation

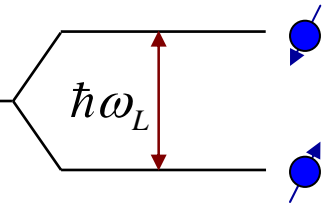
Ferromagnetic ring produces a magnetic bottle



High-precision g factor measurement



One measurement cycle



$$\omega_L = \frac{2\mu \cdot B}{\hbar} = g \frac{e}{2m_p} B$$

i. Detection of spin-orientation in analysis trap 10min

ii. Transport to precision trap

iii. Measurement of eigenfrequencies and simultaneous irradiation with microwaves 0.5min

5min

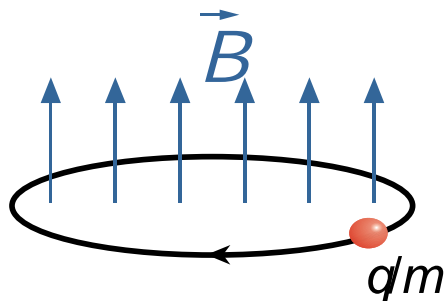
iv. Transport to analysis trap

v. Detection of spin orientation in analysis trap 10min

➤ Spin flip in the precision trap?

$$g = 2 \frac{\omega_L}{\omega_c}$$

$$\omega_c = \frac{e}{m_p} B$$



g-factor resonance of a single proton

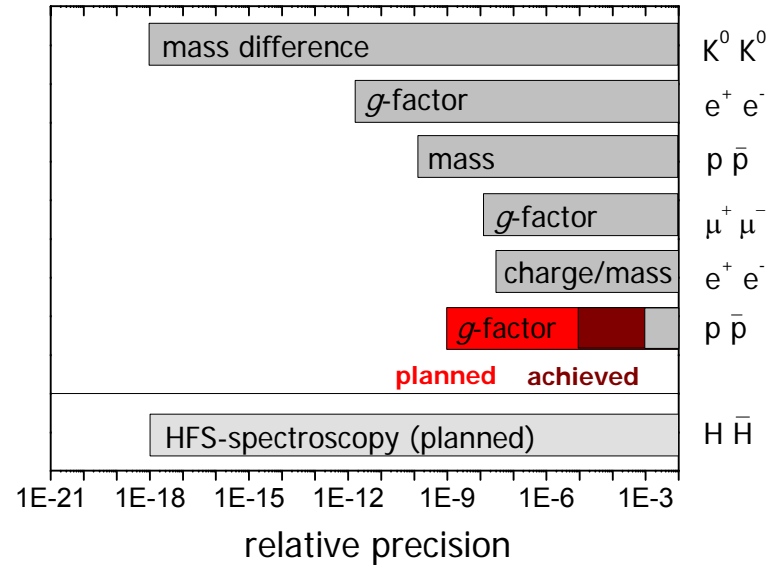
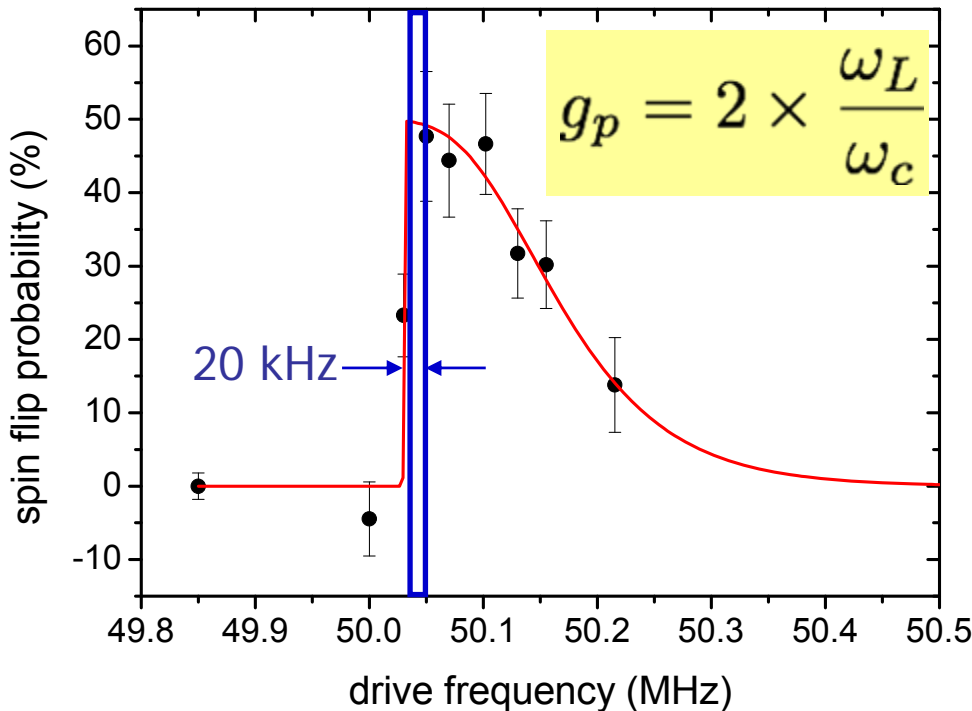
Compare g-factors of p and \bar{p} :

Test of matter-antimatter symmetry.

Highly challenging experiment since

$$\frac{\mu_p}{m_p} \times \frac{m_e}{\mu_e} = 8 \cdot 10^{-7}$$

one million times harder compared to e $^-$.



PDG:

$$g_p = 2 \times 2.792847337(29)$$

$$g_{\bar{p}} = 2 \times 2.800(8)$$

Larmor resonance based on first spin flip ever observed with a nuclear magnetic moment.

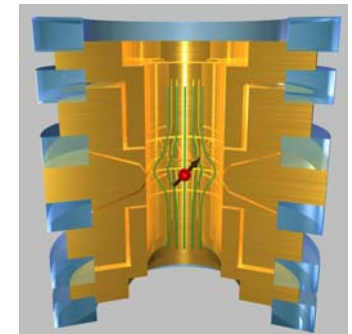
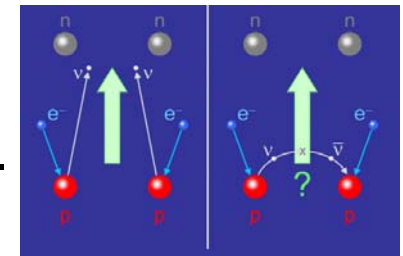
We aim for $\delta g/g = 10^{-9}$.

S. Ulmer *et al.*, Phys. Rev. Lett. 106, 253001 (2011)

Summary

Exciting results in high-precision experiments with stored and cooled exotic ions have been achieved!

- Accurate masses have been obtained for reliable nucleosynthesis calculations.
- High-precision mass measurements with strong impact on neutrino physics research.
- Discovery of a suitable candidate for $0\nu 2EC$ search.
- First direct observation of a spin-flip of a single proton
- Development of novel and unique storage devices.
- ... and many more!



Thanks

**Thanks a lot for the invitation
and your attention!**

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WWW: www.mpi-hd.mpg.de/blaum/



ERC Advanced Grant Agreement No. 290870

